

Optimal Fisheries Contracts with Asymmetric Information and Interdependent Species

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Introduction

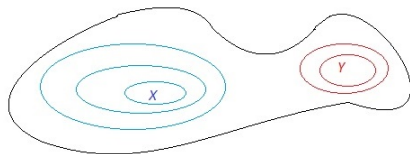


Figure: Commercial species x and non-commercial species y

- Two fish stocks competing for a resource (x is commercial and y is non-commercial)
- Presently, only commercial species regulation is common
- Two-species regulation can increase stock of x and lead to larger revenues if y is lowered
- Two-species regulation may fail due to asymmetry of information

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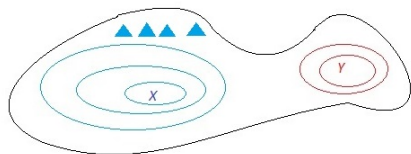


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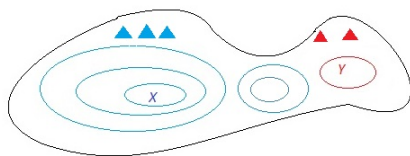


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Ecological-Economic Model. Gordon-Schaefer model.

- Two species: commercial x and non-commercial y
- Fish stock S_j , $j = x, y$, logistic growth function

$$\dot{S}_j = G_j(S_j) = r_j S_j \left(1 - \frac{S_j}{K_j}\right),$$

where r_j is intrinsic growth rate, K_j is carrying capacity, S_j is stock j ;

- $n = 2$ fishing fleets (two players) can harvest x and y simultaneously
- Purely selective fishing:
 e_{ij} is (**strategy**) harvesting effort of species j of fisherman i .
Total effort of harvesting x is E_x , and total effort of harvesting y is E_y .
- Individual harvest j of fisherman i is

$$h_{ij}(e_j, S_j) = q_j S_j e_{ij},$$

where q_j is catchability coefficient.

Ecological-Economic Model

- Assumption: K_y is given, but K_x depends on S_y

$$K_x = K_{x0} \left(2 - \frac{S_y}{K_y} \right)^\alpha,$$

K_{x0} is carrying capacity x if y is not harvested,

S_y is stock y ,

K_y is species y carrying capacity,

α indicates **how competing stocks are**, so that $0 \leq \alpha \leq \bar{\alpha}$.

- Steady state of fish stocks are

$$\tilde{S}_y = K_y \left(1 - \frac{q_y}{r_y} (e_{1y} + e_{2y}) \right),$$

$$\tilde{S}_x = K_{x0} \left(1 - \frac{q_x}{r_x} (e_{1x} + e_{2x}) \right) \underbrace{\left(1 + \frac{q_y}{r_y} (e_{1y} + e_{2y}) \right)^\alpha}_{\text{effect of reduced stock } y}.$$

Ecological-Economic Model

- Payoff of each fisherman $i, i = 1, 2$ be

$$p_x h_{ix} + p_y h_{iy} - c_{ix} e_{ix}^2 - c_{iy} e_{iy}^2$$

h_{ij} is individual harvest of fisherman i from harvesting j ,

- Price p_x depends on supply (linear demand function)

$$p_x = a - bq_x K_{x0} \left(1 - \frac{q_x}{r_x} E_x\right) \left(1 + \frac{q_y}{r_y} E_y\right)^\alpha E_x,$$

$p_y = 0$ - Species y has no market value.

- $c_x = \text{const}$ is common knowledge, **asymmetry of information** on c_y

$$c_{iy} = \begin{cases} c_L, & 0 \leq \nu \leq 1 \\ c_H, & 1 - \nu. \end{cases}$$

Only fisherman knows her true c_y , other fisherman and the principal know only distribution.

Ecological-Economic Model

- The principal has complete knowledge of α
- Fishermen are assume $\alpha = 0$ ('pessimistic').

Contract is necessary to induce harvesting y !

Question

We look into three cases of regulation and study their implementability

- No regulation on y : BAU single-species regulation
- Two-species fishery and Complete Contract: **no asymmetry of information**. Principal proposes harvesting of x and y and subsidies according to joint welfare maximization (social optimum, first best)
- Two species-fishery and Contract under **information asymmetry**: adverse selection problem requires incentive compatibility constraints.

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Single-species regulation

'Business-as-usual' scenario: joint welfare maximisation of the fishermen payoff in the steady state (W_0 is individual payoff)

$$\max_{e_x} W^0 = \left\{ \left(a - bK_{x0}q_x \left(1 - \frac{q_x}{r_x} 2e_x \right) 2e_x \right) K_{x0}q_x \left(1 - \frac{q_x}{r_x} 2e_x \right) e_x - \frac{c_x}{2} e_x^2 \right\}.$$

e_{x0} is (**unique symmetric equilibrium**) optimal harvesting efforts of species x , and S_x^0 correspondent steady state.

Complete Contract of Two-species Fishery

Two-species management problem and **no information asymmetry**.

Objective in social optimum

$$\max_{e_{1x}, e_{2x}, e_{1y}, e_{2y}} W^{SO} = \begin{cases} 2\left(p_x^{LL} h_{xL}^{LL} - \frac{c_x}{2} e_{xL}^{LL2} - \frac{c_L}{2} e_{yL}^{LL2}\right), & \text{if both LL,} \\ p_x^{LH} (h_{xL}^{LH} + h_{xH}^{LH}) - \frac{c_x}{2} e_{xH}^{LH2} - \frac{c_H}{2} e_{yH}^{LH2} - \frac{c_x}{2} e_{xL}^{LH2} - \frac{c_L}{2} e_{yL}^{LH2}, & \text{if L and H} \\ 2\left(p_x^{HH} h_{xH}^{HH} - \frac{c_x}{2} e_{xH}^{HH2} - \frac{c_H}{2} e_{yH}^{HH2}\right), & \text{if both HH,} \end{cases}$$

and obtain first-best solution (efforts & transfers)

- e_{xH}^{HH*} , e_{yH}^{HH*} , and t^{HH*}
- e_{xH}^{LH*} , e_{yH}^{LH*} , e_{xL}^{LH*} , e_{yL}^{LH*} and t_H^{LH*} , t_L^{LH*} ,
- e_{xL}^{LL*} , e_{yL}^{LL*} and t^{LL*} .

Contract under information asymmetry

Principal's objective becomes maximization of the revenue from the fishing activity minus information rent paid to the fishermen (to reveal their true type)

$$\begin{aligned}
 & \max_{e_{xH}^{HH}, e_{xH}^{LH}, e_{xL}^{LH}, e_{xL}^{LL}, e_{yH}^{HH}, e_{yH}^{LH}, e_{yL}^{LH}, e_{yL}^{LL}} \left\{ 2\nu^2 \left((a - bH_x^{LL})h_{xL}^{LL} - \frac{c}{2}e_{xL}^{LL2} - \frac{c_L}{2}e_{yL}^{LL2} \right) + \right. \\
 & 2(1 - \nu)^2 \left((a - bH_x^{HH})h_{xH}^{HH} - \frac{c}{2}e_{xH}^{HH2} - \frac{c_H}{2}e_{yH}^{HH2} \right) + \\
 & 2\nu(1 - \nu) \left((a - bH_x^{LH})h_{xL}^{LH} - \frac{c}{2}e_{xL}^{LH2} - \frac{c_L}{2}e_{yL}^{LH2} + (a - bH_x^{LH})h_{xH}^{LH} - \frac{c}{2}e_{xH}^{LH2} - \frac{c_H}{2}e_{yH}^{LH2} \right) \\
 & - 2\nu^2 \left(U_H^{LH}(0) + \frac{\Delta c}{2}e_{yH}^{LH2} \right) - 2(1 - \nu)^2 U_H^{HH}(0) \\
 & \left. - 2\nu(1 - \nu) \left(U_H^{HH}(0) + \frac{\Delta c}{2}e_{yH}^{HH2} + U_H^{LH}(0) \right) \right\}.
 \end{aligned}$$

Contract under information asymmetry

Next we need to take into consideration participation and incentive compatibility constraints (below we shall use notation $\Delta c = c_H - c_L$ and $U(0)$ as out of contract utility, i.e. single species regulation e_x^0)

$$U_L^{LL} \geq U_H^{LH} + \frac{\Delta c}{2} e_{yH}^{LH2},$$

$$U_L^{LL} \geq U_L^{LL}(0)$$

$$U_L^{LH} \geq U_H^{HH} + \frac{\Delta c}{2} e_{yH}^{HH2},$$

$$U_L^{LH} \geq U_H^{LH}(0)$$

$$U_H^{LH} \geq U_L^{LL} - \frac{\Delta c}{2} e_{yL}^{LL2},$$

$$U_H^{LH} \geq U_H^{LH}(0)$$

$$U_H^{HH} \geq U_L^{LH} - \frac{\Delta c}{2} e_{yL}^{LH2},$$

$$U_H^{HH} \geq U_H^{HH}(0).$$

Contract under information asymmetry

In case of 2-player contract ($e_x^{SB}, e_y^{SB}, t^{SB}$)

- 1 Both players efficient (LL), harvesting efforts are efficient (=socially optimal)

$$e_{yL}^{LL,SB} = e_{yL}^{LL*} \text{ and } e_{xL}^{LL,SB} = e_{xL}^{LL*}$$

- 2 One player is efficient and another inefficient, contract is suboptimal



$$e_{yL}^{LH,SB} \geq e_{yL}^{LH*} \text{ and } e_{yH}^{LH,SB} \leq e_{yH}^{LH*},$$

$$E_y^{LH,SB} \leq E_y^{LH,*},$$



$$e_{xH}^{LH,SB} = e_{xL}^{LH,SB} \geq e_x^{LH*}.$$

- 3 Both are inefficient players (HH), harvesting effort to y below SO level and harvest x with higher effort than SO

$$e_{yH}^{HH,SB} \leq e_{yH}^{HH*},$$

$$e_{xH}^{HH,SB} \geq e_{xH}^{HH*}.$$

Table: Model parameters values

Parameter for x	value	Parameter for y	value
K_{x0}	1500	K_y	1000
r_x	0.325	r_y	0.325
q_x	[0.01, 0.4]	q_y	[0.01, 0.4]
c_x	80	c_y	[20, 120]
α	$[0, \infty]$		
a	20		
b	0.1		

In particular, parameters are $q_x = 0.05$, $q_y = 0.05$, $c_H = 120$, $c_L = 20$.

Table: Model results

Regulation	e_{xH}	e_{xL}	e_{yH}	e_{yL}	S_x	S_y	t_H	t_L
Single-species regulation on x	0.812	0.812	—	—	1125.35	1000	—	—
Social Optimum								
both efficient	—	0.669	—	0.623	1419.81	808.34	—	12.362
one efficient another inefficient	0.707	0.707	0.125	0.750	1331.89	865.359	5.345	10.034
both inefficient	0.769	—	0.167	—	1203.96	948.544	2.364	—
Optimal Contract								
both efficient	—	0.669	—	0.623	1419.81	808.34	—	12.556
one efficient another inefficient	0.711	0.711	0.070	0.766	1322.45	871.481	4.327	10.668
both inefficient	0.780	—	0.124	—	1183.56	961.861	1.302	—

Numerical Analysis

Stock S_x

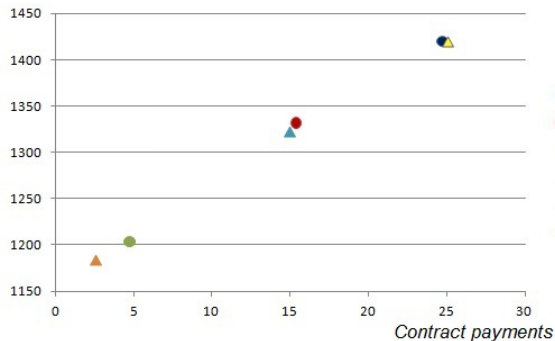
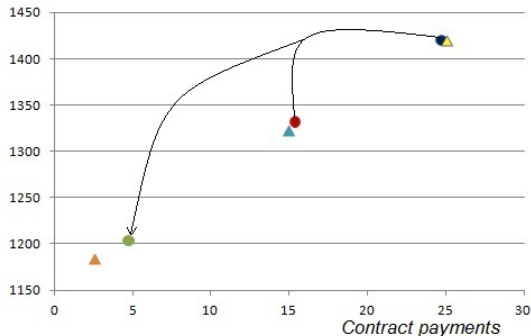


Figure: Steady state stock S_x Vs. Subsidy for harvesting y

Numerical Analysis

Implementation of social optimum (first best) in asymmetric information setting leads to adverse selection: only social optimum with inefficient players is implementable

Stock S_x



- Social Optimum (both efficient)
- Social Optimum (one efficient, another inefficient)
- Social Optimum (both inefficient)
- ▲ Contract (both efficient)
- ▲ Contract (one efficient, another inefficient)
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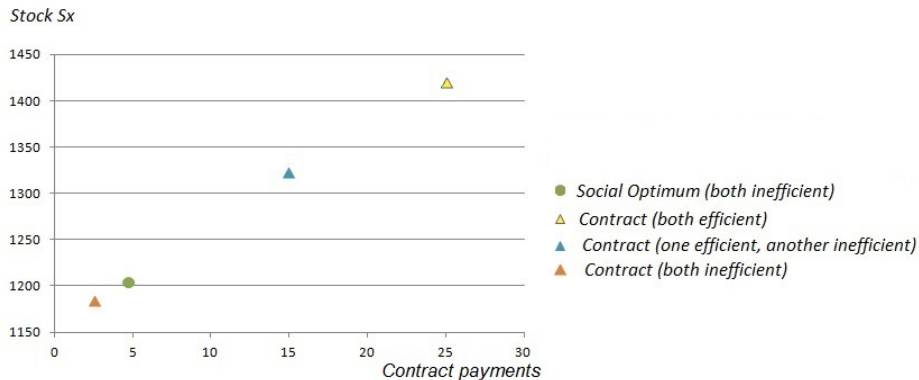


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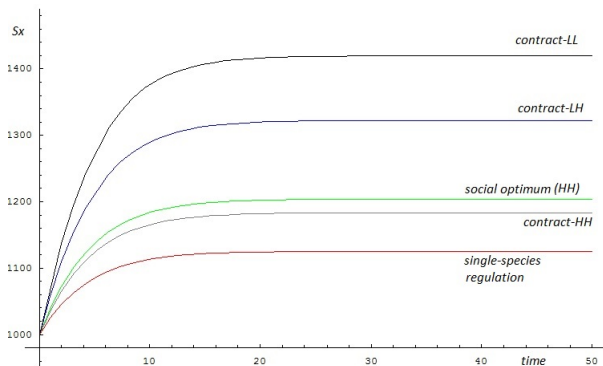


Figure: Stock dynamics of commercial species x in case of contract and social optimum

Conclusion

- 1 Fishing game with 2 interdependent species and incomplete and uncertain information of harvesting non-commercial species
- 2 modified Gordon-Schaeffer model
- 3 Single-species regulation, Social optimum (no information asymmetry) and Contract
- 4 Adverse selection in harvesting y and misinformation: only inefficient solution!
- 5 Contract (second-best) leads to close-to-optimal harvesting and regulation and truthful cost structure

Future development:

compare 2-player contract with single-player contract: general vs. exclusive contracting

compare static vs. dynamic contracting