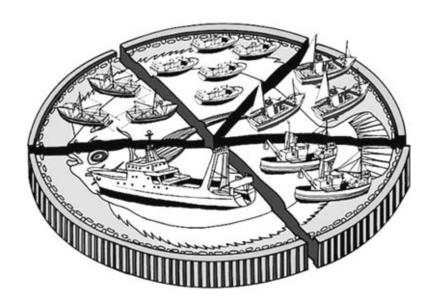
# Modeling the impacts of a discard ban in a mixed fishery under catch-quota management

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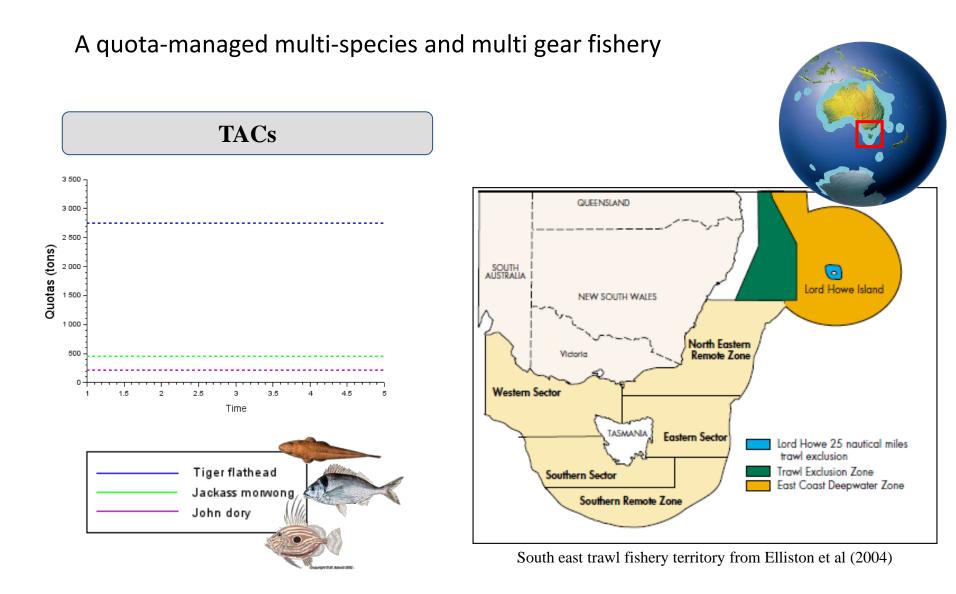


## Outline

- Background
- II. Modelling Approach
- III. A stylized case study
- IV. Simulation results
- V. Discussion

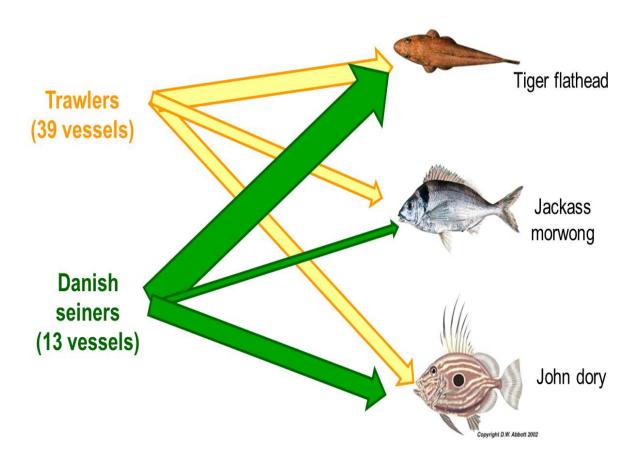
- Ecosystem approach to fisheries management → move towards more comprehensive catch-quota management systems
- Individual Transferable Quotas (ITQs) in multi-species fisheries
  - > Potential gains in economic yield & ecological sustainability
  - But, problems related to joint production (by-catch & discards)
  - Response of these systems with / without landing obligation (and the need to account for unwanted catch in quota allocations)?

- Bio-economic modelling framework (extended from Péreau et al., 2012)
  - N fishing companies (vessels) with:
    - Different technical and economic characteristics ("métiers")
    - Individual variability in performance (catchability of species)
    - Fish prices are fixed outside the fishery
  - S ecologically independent species (Fox population dynamics)
  - Possibility of a quota leasing market for individual species
- Assumptions
  - TACs are set by species
  - Efforts of individual companies set to maximize profit
    - → sum of individually optimal harvests entails total demand for quota of each species on quota leasing market (if this exists)
  - Quota market clearing condition (demand=TAC) → quota leasing price
- Scenario: Quota leasing is possible or not / Discards allowed or banned



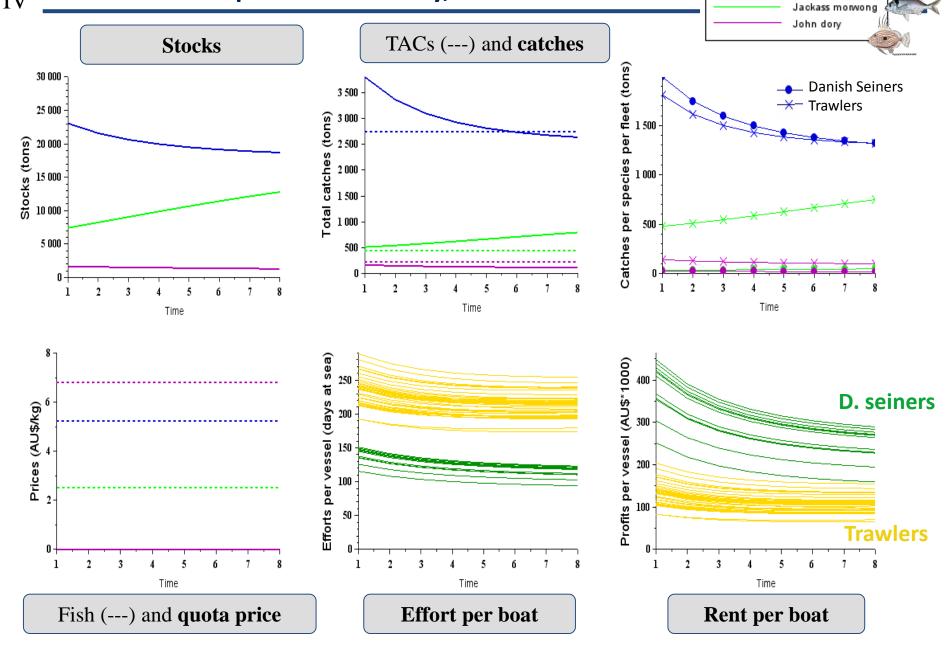
Multiple fleets

Multiple species

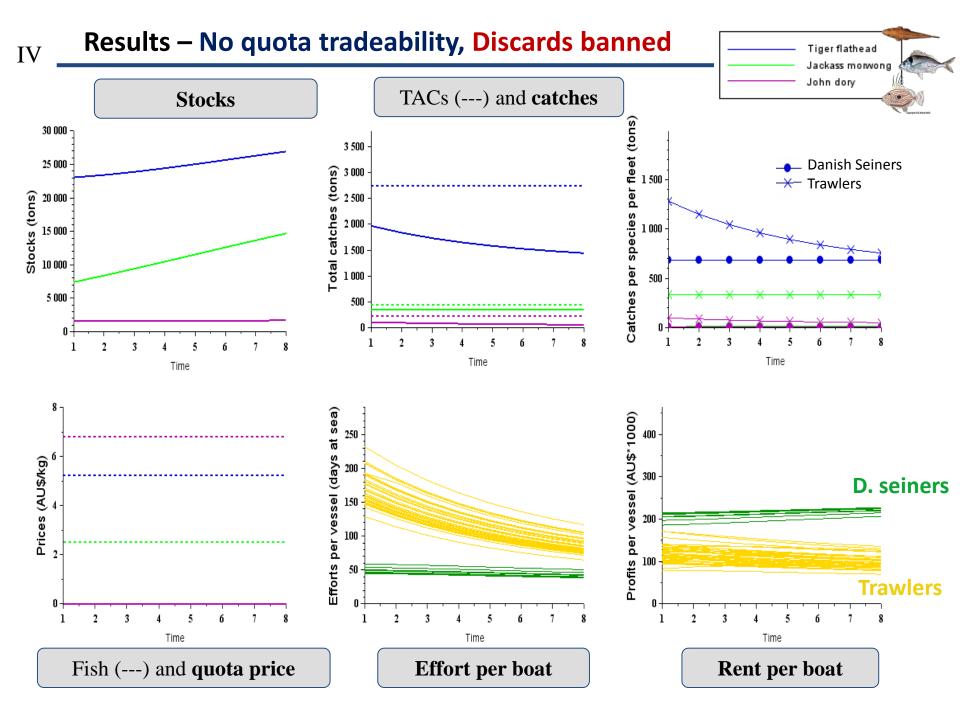


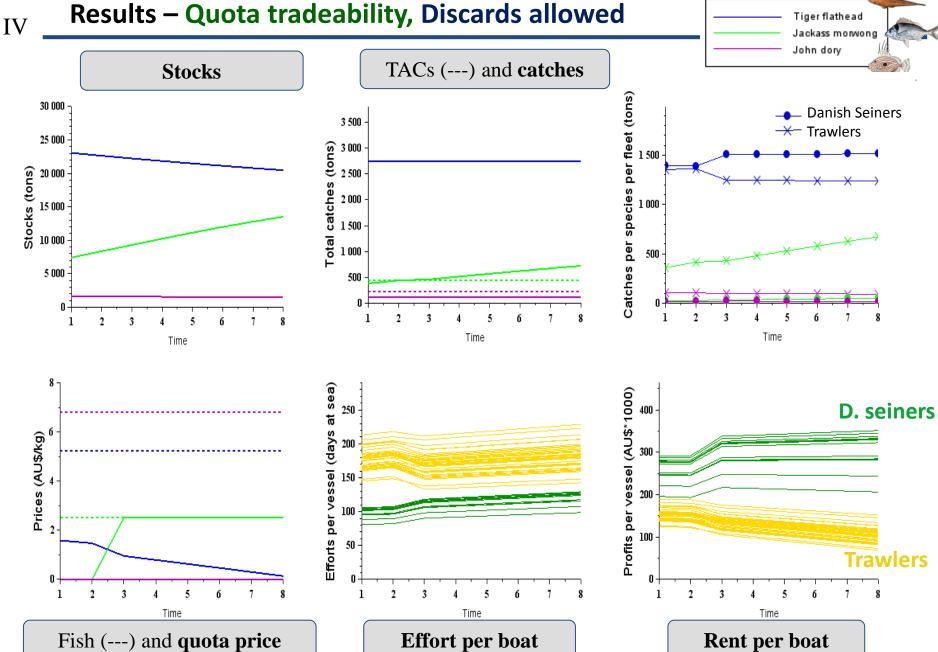
Width of arrows proportional to fleet.species specific catchabilities

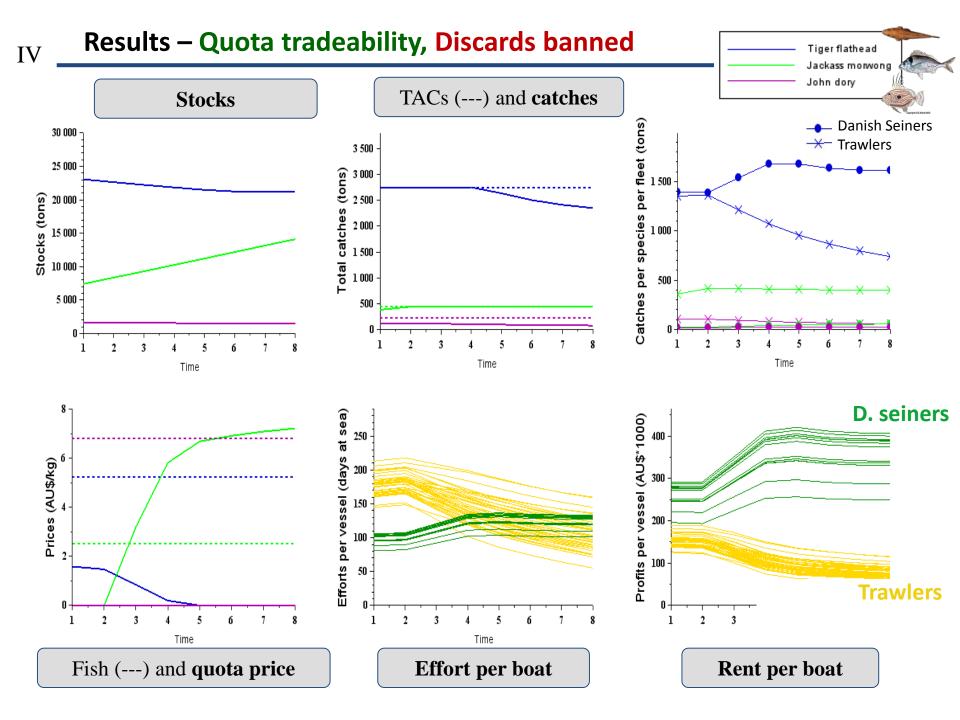
## Results - No quota tradeability, Discards allowed



Tiger flathead



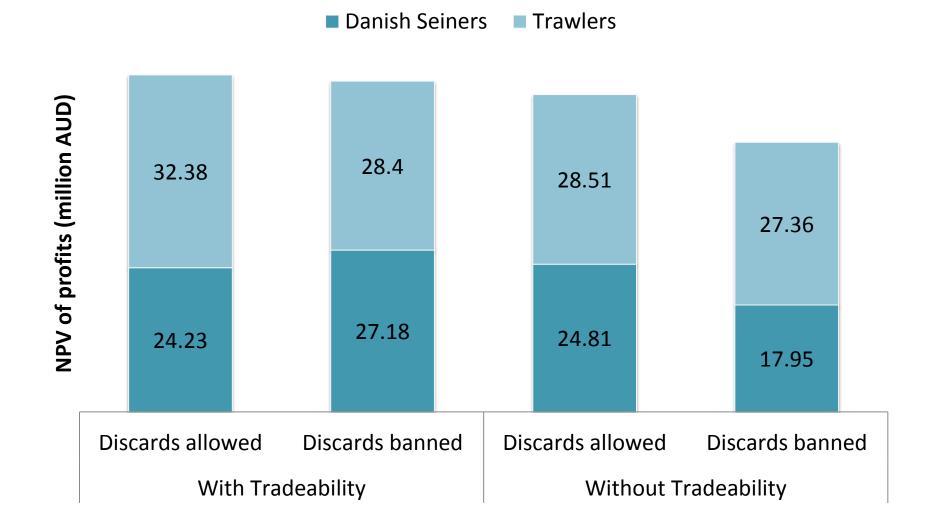




## **Results – NPV of profits: comparison of alternative scenarios**

$$NPV_f = \sum_{t=t0}^{I} \frac{\pi_f(t)}{(1+\sigma)^t}$$
 With  $\pi_f(t)$ 

 $NPV_f = \sum_{t=t0}^{T} \frac{\pi_f(t)}{(1+\sigma)^t}$  With  $\sigma$ , the discount rate set at 5%  $\pi_f(t)$  the annual profit of fleet f at time t



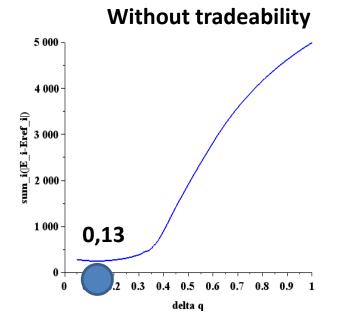
trawlers in t = 8

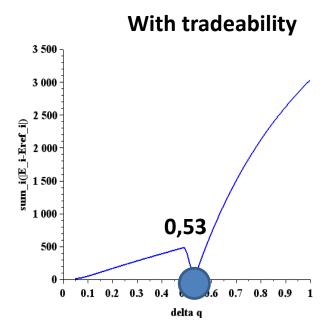
## **Results – Fleet adaptation to maintain level of fishing activity?**

→ Could the industry adapt to this increased cost of fishing due to Morwong bycatch?

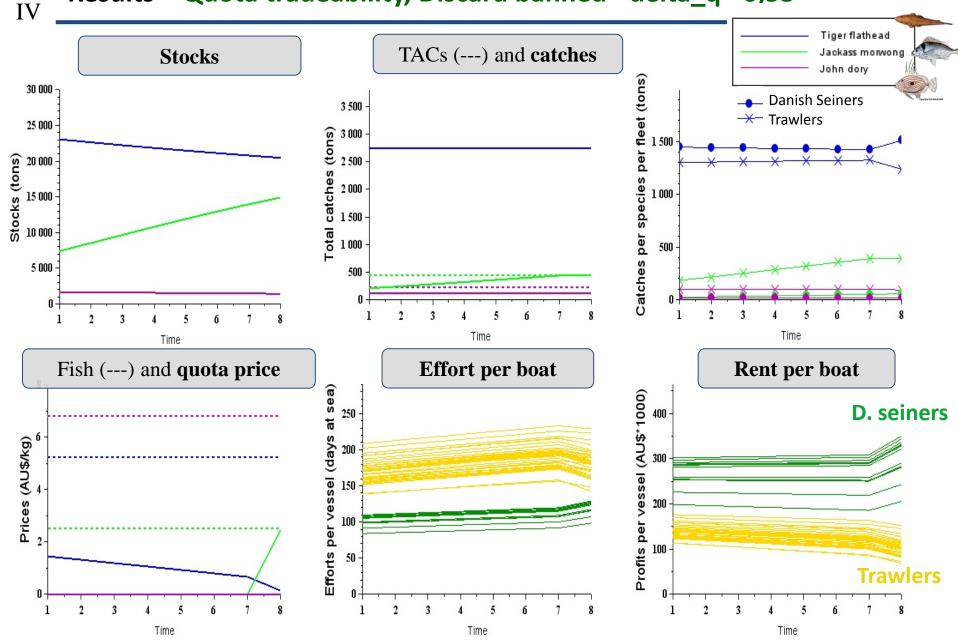
Search for  $delta\_q$  where  $q_{MW,TWi} = q_{ref} * delta\_q$  such as to minimize the square of the difference between the  $E_i$  and the  $E_{ref,i}$  for

$$\rightarrow Min_{delta\_q} \left( \sum_{i=1}^{nb\_TW} \left( E_{TWi,t=8} - E_{ref,TWi,t=8} \right) \right)^2$$





Results – Quota tradeability, Discard banned - delta\_q= 0,53



- Modeling framework: allows comparison of alternative approaches to setting TACs and managing by-catch and discards in a mixed fishery
- ➤ Discard ban (provided effectively implemented) entails greater variability in economic returns between fleets in the short run (even without accounting for non-quota costs to vessels of landing obligation)
- ➤ Key question: assessment of adaptations (technical change, spatial and temporal fishing behavior, information sharing, ...) required to maintain fleet activity
- Further research:
  - TAC schedules across species that meet multiple sustainability criteria
  - Inclusion of uncertainty in key economic and ecological processes

## Thank you for your attention!



# Population dynamics

- Assumptions:
  - Discrete time (typically yearly discretization)

$$X_i(t+1) = X_i(t) \left( 1 + r_i \ln \left( \frac{K_i}{X_i(t)} \right) \right) - H_i(t)$$

X, r, K, H:

- Biomass
- Reproduction parameter
- Carrying capacity
- Harvest function

## Harvesting dynamics

Companies are price-takers

- Cost function: 
$$C_k(e_k) = c_0^k + c_1^k e_k + c_2^k \frac{e_k^2}{2}$$

Goal: maximize their profit by choosing the optimal effort

$$\max_{sc \ e_k \ge 0} \sum_{i=1}^{S} p_i q_{i,k} X_i e_k - C_k(e_k) - \sum_{i=1}^{S} m_i (q_{i,k} X_i e_k - Q_{i,k})$$

## Harvesting dynamics – ctd.

Results:

Results: 
$$e_k^* = \frac{1}{c_2^k} \left( \sum_{i=1}^S (p_i - m_i) q_{i,k} X_i - c_i^k \right)$$

Determines optimal harvest per species & per company

$$H_{i}^{*} = \sum_{k=1}^{N} q_{i,k} X_{i} \frac{1}{c_{2}^{k}} \left( \sum_{i=1}^{S} (p_{i} - m_{i}) q_{i,k} X_{i} - c_{1}^{k} \right)$$

Leads to equilibrium quota prices (via a Walras adjustment process)

$$m_i^*$$

 — m\* decreases with quota supply (TAC), and increases with stock increase

#### **Parameters values**

#### **Biological parameters and fish sale prices (p)**

	r	K (in tons)	X (2009) (in tons)	p (in AU\$ per ton)
Tiger Flathead	0.153	44 566	23 070	5 230
Jackass Morwong	0.128	30 231	7 412	2 520
John Dory	0.044	5 431	1 666	6 800

## Estimated mean catchabilities (in days-1 \*10-6)

	q mean catchabilities		
	trawlers	Danish seiners	
Tiger Flathead	8.4	46.6	
Jackass Morwong	7.2	2.4	
John Dory	7.9	8.2	

### **Efforts and cost parameters**

#### Efforts

	Nb of boats in 2009	Mean annual effort per boat (days at sea)	
Trawlers (TW)	39	210	
Danish Seiners (DS)	13	96	

## Cost parameters per boat

$$C_k(e_k) = c_0^k + c_1^k e_k + \frac{c_2^k}{2} e_k^2$$

with k a fishing firm (i.e. a boat) and  $\mathbf{e}_k$  its annual effort

- In our model: trawlers and Danish seiners can fish only 3 species
- These 3 species: 13% and 43% of their fishing incomes (respectively)

adjusted costs (AUD)

	C <sub>0</sub>	<b>c</b> <sub>1</sub>	C <sub>2</sub>
Trawlers	13 411	21.59	5.21
Danish Seiners	24 342	55.55	41.43

## The quota leasing market model

