

# Balancing goods and bads: A Bayesian analysis of fishery regulatory decisions

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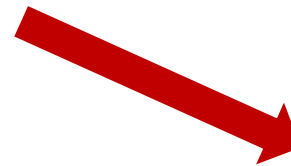
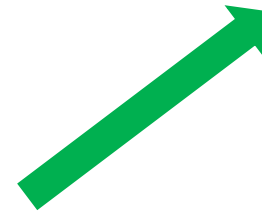
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Why do we need fishery regulations?

# Why do we need fishery regulations?

- Many fisheries jointly produce **goods** and **bads**.
  - Goods include desirable fish catch.
  - Bads include undesirable bycatch.



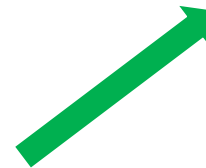
# Regulatory trade-off

- How do regulators optimally balance this trade-off?



# Regulatory trade-off

- Ronald Coase (1960) described this as **the problem of social cost**.
  - What is the optimal level of regulation of an industry that creates social damages, knowing that regulations will also be costly for the industry.



# Bayesian decision analysis

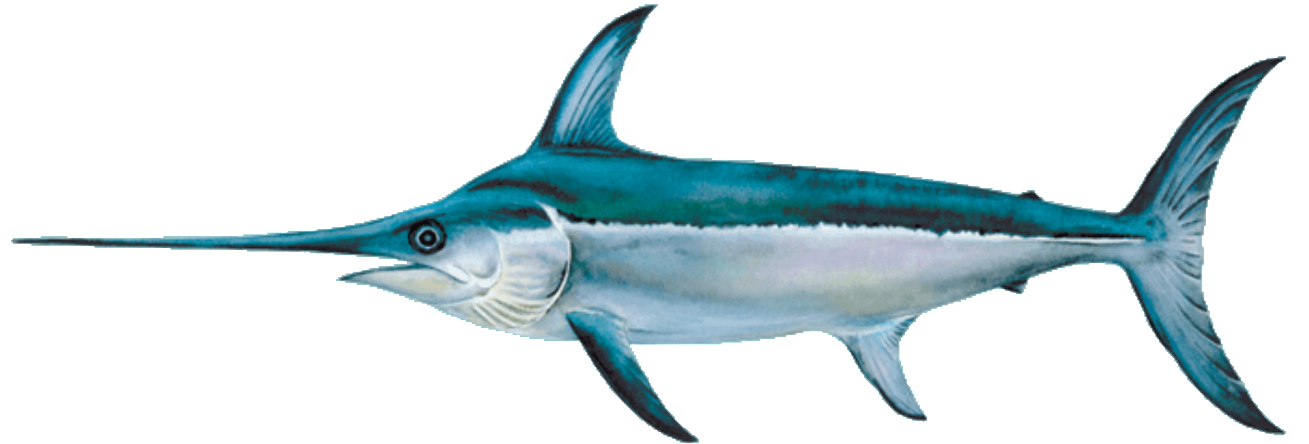
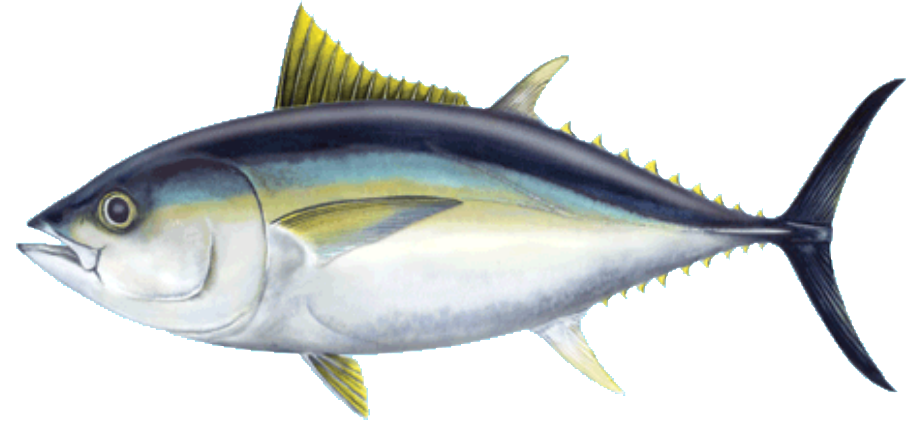
- A framework to help make decisions under uncertainty.
  - List the set of possible decisions
  - Define an expected utility function
  - Maximize utility over the set of decisions.

# Research objective

- Apply Bayesian decision analysis to solve the problem of social costs (turtle bycatch) in Hawaii's longline fishery.
  - How much should you restrict sea turtle interactions to maximize social utility?

# Hawaii's longline fishery

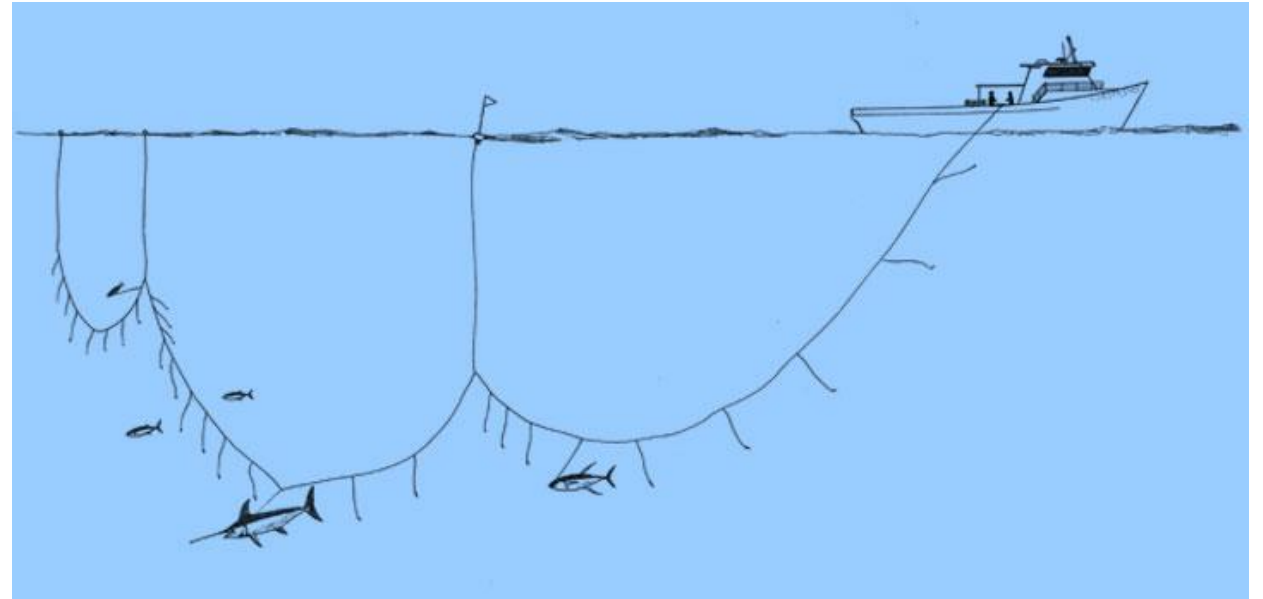
- Pelagic multispecies fishery
  - Bigeye tuna
  - Swordfish
  - Yellowfin tuna
  - Moonfish
  - Mahi-mahi
  - Albacore tuna
  - Skipjack tuna
  - Others...



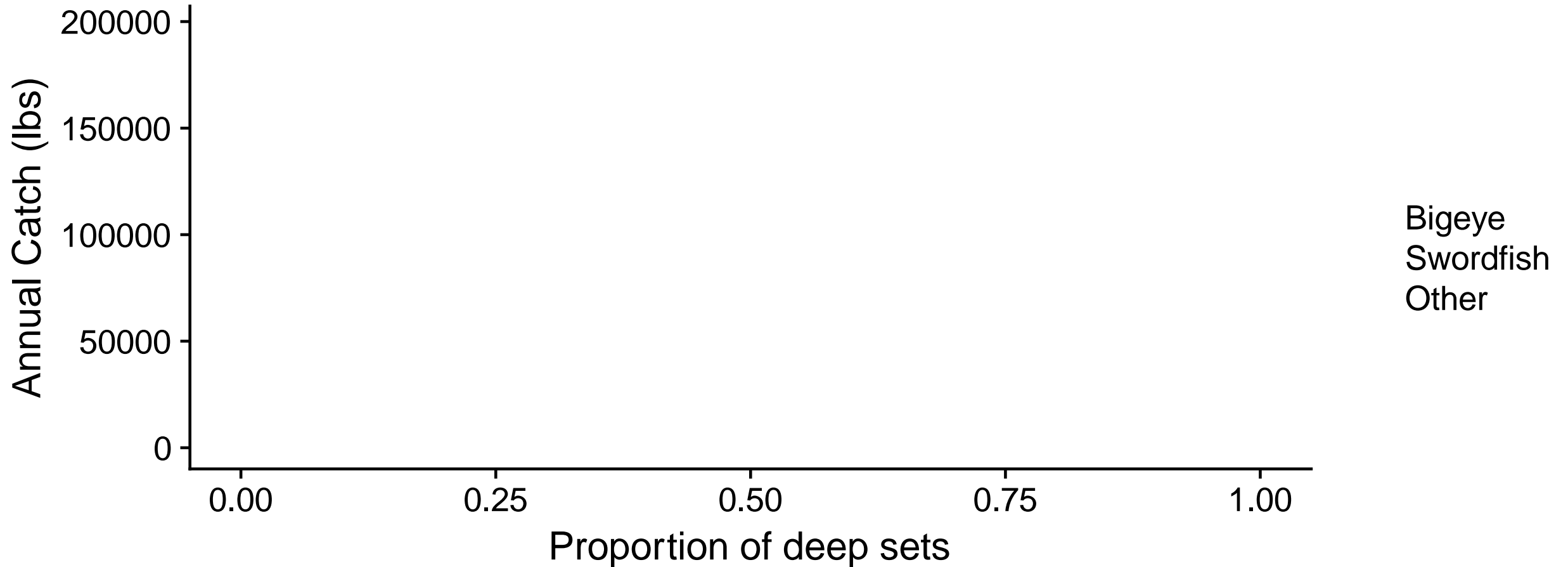


# Hawaii's longline fishery

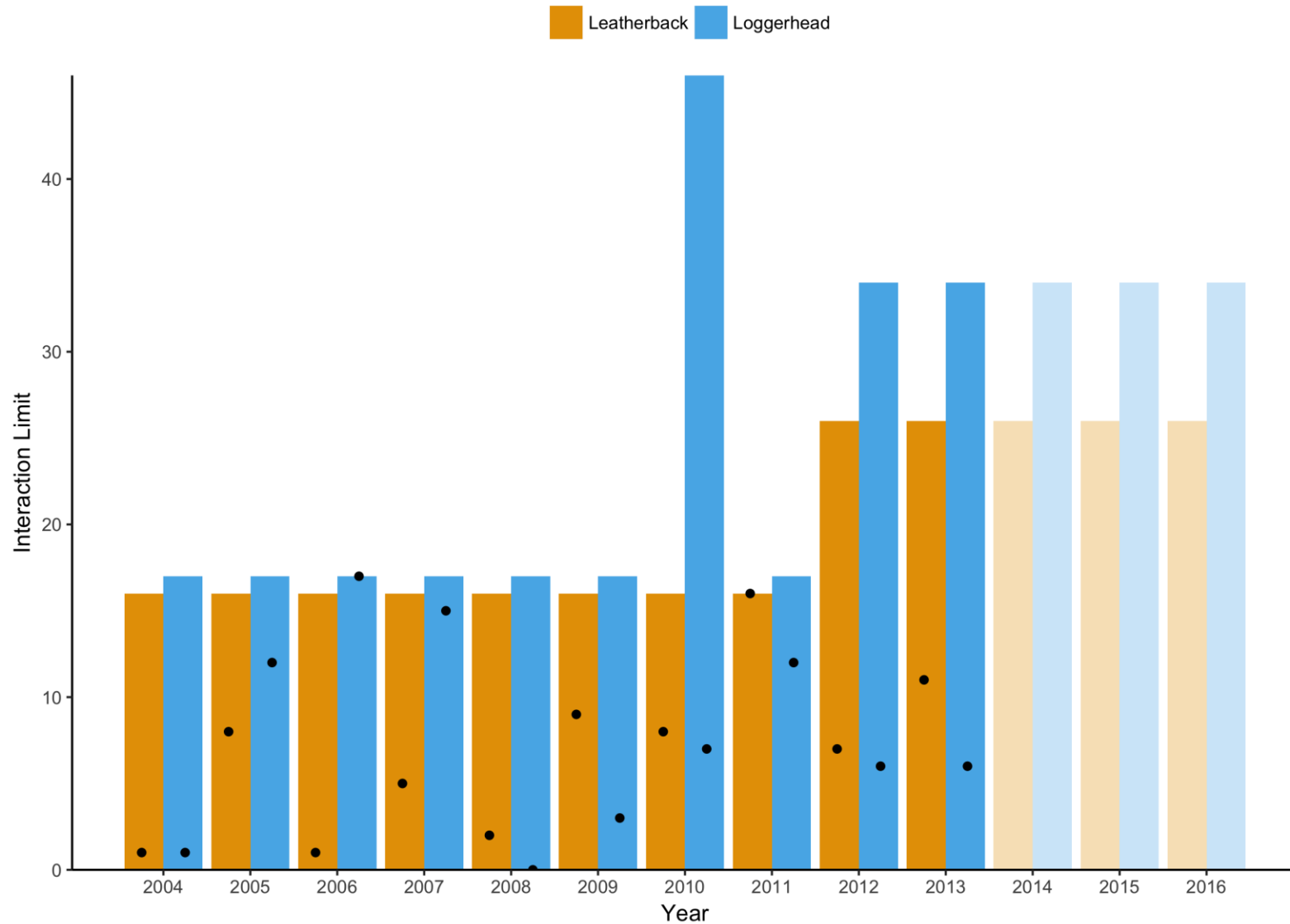
- Shallow sets
- Deep sets



# Annual catch composition



# Sea turtle interaction limits



# Regulators decision problem

$$\max_d (p_{BE} E(y_{BE}^{rep} | d) + p_{SF} E(y_{SF}^{rep} | d) + p_{Other} E(y_{Other}^{rep} | d)) - p_b E(b^{rep} | d)$$

# Regulators decision problem

Benefits

Costs

$$\max_d (p_{BE} E(y_{BE}^{rep} | d) + p_{SF} E(y_{SF}^{rep} | d) + p_{Other} E(y_{Other}^{rep} | d)) - p_b E(b^{rep} | d)$$

- Don't know  $p_b$  so I iterate over  $p_b = \{1000, 2000, \dots, 30,000,000\}$
- Need to calculate the expectations.

Calculate expectations by modeling production

$$y_i \sim \text{Normal}(f(\mathbf{x}_i) - \mu_i, \sigma_y^2)$$

$$b \sim \text{Poisson}(v \sum_i x_i)$$

# Data

- Sample period from 2004 to 2013
  - 204 Hawaii longline vessels
  - Annual inputs (count): **deep sets, shallow sets**
  - Annual outputs (pounds): **bigeye, swordfish, other**
  - Annual sea turtle interactions (count): **leatherback** and **loggerheads**

# Estimate model using Bayesian inference and simulate expected outcomes

- Use parameter estimates to simulate posterior predictions of production of goods and bads under a set of interaction limits.
- For each interaction limit, calculate the sea turtle value that would make that decision optimal.

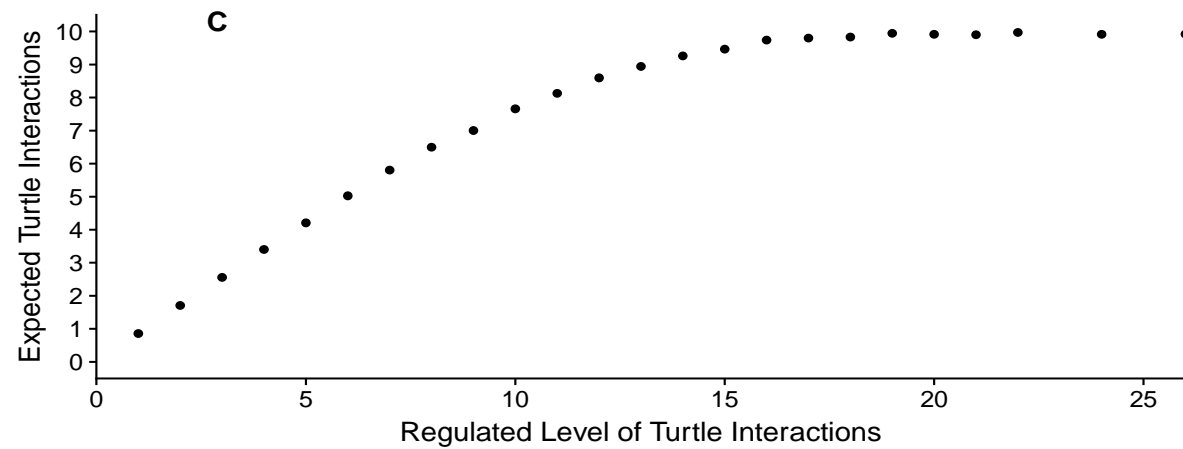
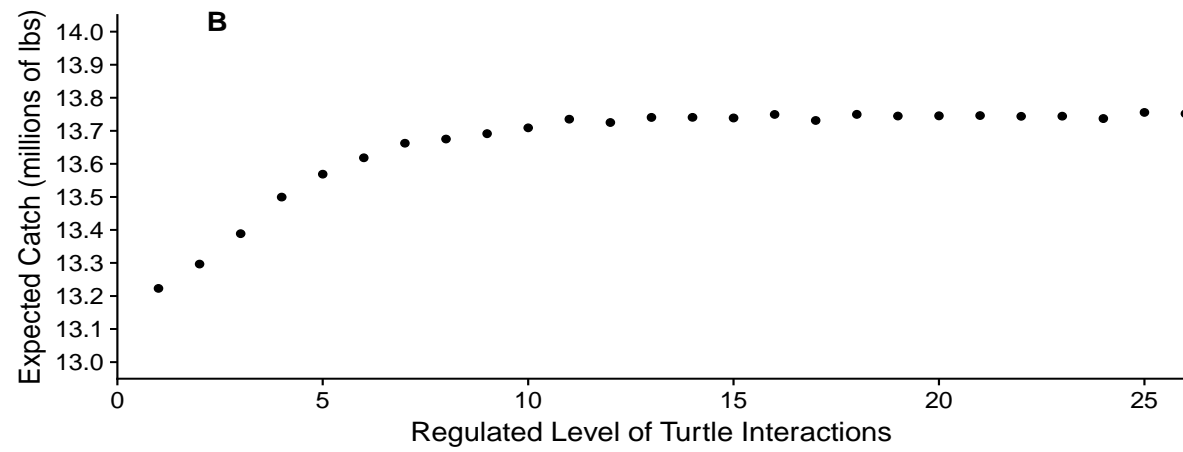
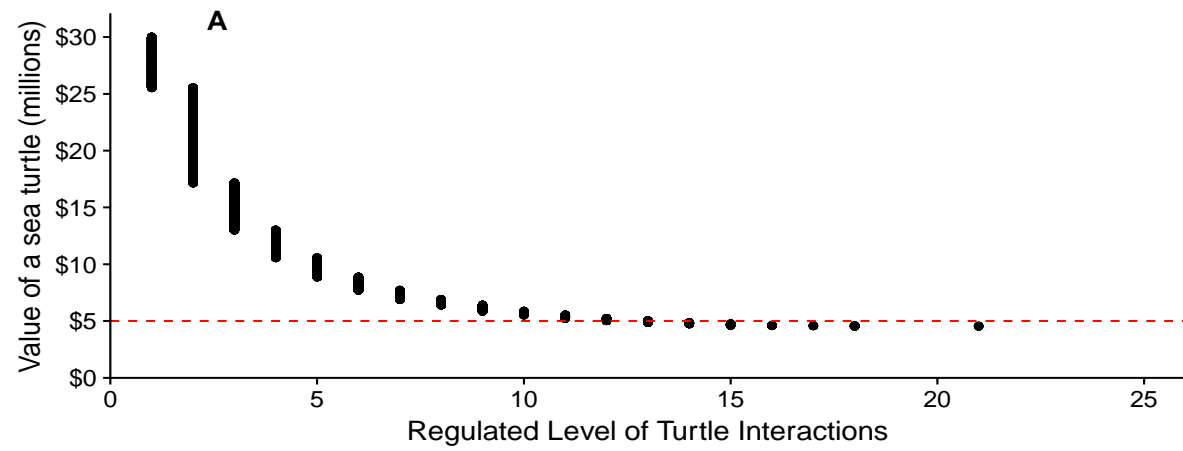


# Calculate expectations by modeling production

- $E(\cdot | d)$  is calculated by randomly drawing inputs for each vessel from their observed input distribution.
- Evaluate if  $b$  is greater the  $d$ .
- If yes, then redraw inputs.
- If no, then calculate  $y$ 's.

# Regulators decision problem

$$\max_d (p_{BE} E(y_{BE}^{rep} | d) + p_{SF} E(y_{SF}^{rep} | d) + p_{Other} E(y_{Other}^{rep} | d)) - p_b E(b^{rep} | d)$$



# Summary

- Deciding how much to restrict fishing effort to protect sea turtles depends on the social value of sea turtles.
- Under initial interaction limits, the implicit value of sea turtles is estimated to be close to \$5 million.
- The decision analysis framework provides a transparent tool to align fishery regulations with social values.