# Prediction of Forest Attributes with Field Plots, Landsat, and a Sample of Lidar Strips: A Case Study on the Kenai Peninsula, Alaska

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Prediction of Forest Attributes with Field Plots, Landsat, and a Sample of Lidar Strips: A Case Study on the Kenai Peninsula, Alaska

Jacob L. Strunk, Hallamarmi Temesgen, Hans-Erik Andersen, and Petteri Packalen

Abstract

In this study we demonstrate that sample strips of lidar in combination with Landsat can be used to predict forest attributes more precisely than from Landsat alone. While lidar and Landsat can each be used alone in vegetation mapping, the cost of wall to wall lidar may exceed users’ financial resources, and Landsat may not support the desired level of prediction precision. We compare fitted linear models and k nearest neighbors (kNN) methods to link field measurements, lidar, and Landsat. We also compare 900 m² and 8,100 m² resolutions to link lidar to Landsat. An approach with lidar and Landsat together reduced estimates of residual variability for biomass by up to 36 percent relative to using Landsat alone. Linear models generally performed better than kNN approaches, and when linking lidar to Landsat, using 8,100 m² resolution performed better than 900 m².

Introduction

Studies which demonstrate ways to use lidar in forest inventory, mapping, and monitoring are now fairly common. Investigators have modeled and estimated forest attributes (Tonolli et al., 2011; Strunk et al., 2012a) classified forest types (Pascual et al., 2008) species (Kim et al., 2009a; Zhang and Qiu, 2012), and condition (Kim et al., 2009b), delineated stand boundaries (Sullivan et al., 2009), and segmented upper canopy tree crowns (Hyppölä et al., 2001). These and most other studies demonstrate approaches which rely on complete lidar coverage for their area of interest (AOI). However, the acquisition of lidar for an entire AOI is not always justifiable due to high costs, especially for large AOIs.

Recently, interest has increased in approaches to estimate forest attributes from a sample of lidar strips (or swaths) (Gregoire et al., 2011; Stihl et al., 2011; Andersen et al., 2011a). Unfortunately, while a sample of lidar strips is less expensive than complete lidar coverage, a sample of lidar strips is not directly suited to mapping. To map between the strips requires an additional source of auxiliary information. One option is to fill in the gaps between lidar strips using lower cost reflectance information collected with a passive remote sensing technology such as Landsat or aerial photography.

The use of lidar with alternate sources of remote sensing has also been demonstrated in the literature; although most efforts used combined lidar and spectral information when both were available for the same areas (Packalen and Maiero, 2006; Hudak et al., 2006; Packalen et al., 2004). Fit statistics for models developed in these studies did not appear to appreciably improve when spectral information is used in addition to lidar. Spectral information can provide improvements in species differentiation over lidar alone (e.g., Orka et al., 2012). There are also examples of studies for which lidar was only available for a subset of the AOI, while spectral information was available over a broader area. Wulder et al. (2007) used Landsat Enhanced Thematic Mapper (ETM+) data and successive profiling lidar measurement to study change in vertical height over a period of time. Landsat data were used to segment the region, and then lidar was used to assign height data for the segments in successive lidar acquisitions. The authors found this approach to be more effective for detecting change than simply differencing the strips. A similar approach by Andersen et al. (2011b) used Landsat and polarimetric SAR to classify the landscape with a nearest neighbor approach to classify the landscape. Scanning lidar data were then used to estimate average biomass for the classes. The approach was aimed at estimation (e.g., of the population mean or total) rather than prediction (e.g., for mapping). A similar approach by Chen and Hay (2011) for a small test area compared multiple regression and support vector machines to relate characteristics of image segments to lidar data; although unlike in Andersen et al. (2011b), the image segments were individual tree crowns.

In a study by Hudak et al. (2002) simulations were used to look at estimation of canopy height from Landsat ETM+ and samples of lidar data for different numbers and configurations of lidar samples. The authors compared a variety of approaches including geo-statistical models and were successful in improving the precision of predictions for areas not covered with lidar. However, with 2000 m being the greatest distance between lidar measurements, it is not clear how well these approaches would perform for lower lidar sampling intensities (e.g., the sampling intensities used by Andersen, 2009; Andersen et al., 2011a), Gregoire et al. (2011), and Stihl et al. (2011).

We consider the modeling approach to be of great importance in evaluating a prediction strategy, both in terms of performance (precision) and utility. Two common approaches to
model forest attributes from remote sensing are ordinary least squares (OLS) for linear models (Means et al., 2000; Strunk et al., 2012b) and k nearest neighbors (kNN) imputation (Maltamo et al., 2006; Packalén and Maltamo, 2007). Linear models can precisely predict (low RMSE relative to variability in the response) a variety of continuous forest attributes including basal area (Jensen et al., 2006; Means et al., 2000), volume (Nasset, 1997; Lim et al., 2003), and biomass (Drake et al., 2003; Hall et al., 2005). Nearest neighbor approaches also perform well (low RMSE) in the prediction of these variables, and we consider them to be much more user friendly and operationally useful because they can be used to predict a variety of forest attributes, including diameter distributions by species (Packalén and Maltamo, 2008), i.e., required information for most operational forest inventories.

The objective of this study was to evaluate whether using lidar in addition to Landsat for prediction of forest attributes (biomass, basal area, and number of trees) could improve the precision of forest attribute predictions from Landsat and by how much. To investigate our research question, we compared multiple strategies to link Landsat to field measurements and lidar. We compared both linear models fitted with ordinary least squares (OLS) and k nearest neighbors (kNN) as approaches to link Landsat to field measurements and lidar; kNN was examined using multiple distance metrics. We also examined two configurations to link lidar to Landsat including (a) using lidar-based predictions of forest attributes to train Landsat models, and (b) relating lidar directly to Landsat and using predicted lidar variables as explanatory variables in predictions of forest attributes. Finally, to evaluate the effect of resolution, lidar measurements were linked to Landsat at both 900 m² and at 8,100 m². The multiple approaches were evaluated according to their estimated residual variability. To enable the evaluations we developed an estimator of residual variance for predictions from a strategy with more than one model.

Methods

Study Site

Our study was conducted for the boreal forests located in the western lowlands, an area of the 8,200 km² on the Kenai Peninsula in Alaska (Figure 1). The extent of our study area was restricted to the portion of the western lowlands that falls within a single Landsat image, approximately 7,400 km². Prevalent forest types for this area include black spruce (Picea mariana, 23 percent of measured trees) in wet lower parts of drainages, and mixed paper birch (Betula papyrifera, 19 percent of measured trees), white spruce (Picea glauca, 47 percent of measured trees), and quaking aspen (Populus tremuloides, 10 percent of measured trees) in well drained areas. The study area ranged in height above sea level from 0 to 700 m with the majority (65 percent) of the AOI falling below 150 m. Aside from a narrow band on the northern border of the study area, areas outside of our study area on the peninsula are dominated by the mountains.

Forest Measurement Data

Date for this study were collected as part of the US Forest Service (USFS) Forest Inventory and Analysis (FIA) annual inventory program. The FIA field plots area arranged in a ten-panel design and that each field plot consisted of four circular 168 m² subplots arranged in a fixed manner with respect to distance and orientation from plot center (Bechtold and Patterson, 2005). Unlike other parts of the country, the systematic sample of FIA plots on the Kenai Peninsula has a single randomization. The field measurements used in this study were collected between 2005 and 2009. Measurements were obtained for trees greater than 12.7 cm in diameter. For our analysis, we used a subset of 32 field plots including 89 subplots (Table 1) from the systematic grid of field plots covering our AOI. A survey-grade GPS receiver was used to obtain precise (less than 0.5 m horizontal RMSE) coordinates for this subset of FIA plots (Andersen et al., 2009). Tree height, diameter, species, condition class (live or dead), and above ground live biomass from the FIA database were used. Response variables included biomass per hectare (bio), basal area per hectare (ba), and stems per hectare (stems). Response values were calculated from individual tree records and then aggregated for plots.

Table 1. Summary of Response Data for 80 Subplots Used in Analyses

<table>
<thead>
<tr>
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<th>Minimum</th>
<th>Maximum</th>
<th>Mean</th>
<th>SD</th>
</tr>
</thead>
<tbody>
<tr>
<td>Total biomass (kg/ha)</td>
<td>0</td>
<td>179,002</td>
<td>35,421</td>
<td>45,572</td>
</tr>
<tr>
<td>Basal area (ha m²/ha)</td>
<td>0</td>
<td>32.9</td>
<td>6.3</td>
<td>9.1</td>
</tr>
<tr>
<td>Stems /ha</td>
<td>0</td>
<td>1,130</td>
<td>227</td>
<td>242</td>
</tr>
<tr>
<td>Total height (m)</td>
<td>1.5</td>
<td>25.3</td>
<td>12.4</td>
<td>4.7</td>
</tr>
<tr>
<td>DBH (cm)</td>
<td>12.9</td>
<td>56.9</td>
<td>20.8</td>
<td>7.1</td>
</tr>
</tbody>
</table>

Figure 1. Location of study area on the Kenai Peninsula, Alaska
Lidar
Airborne discrete-return scanning lidar data (lidar) were collected in leaf-off condition for the Kenai Peninsula in the spring of 2009. Lidar data were collected in a systematic sample of strips over the locations of a subset of the grid of FIA field plots on the peninsula. The average flying height was $1150\text{ m}$ above ground, the maximum half scan angle was $7.5\text{ degrees}$, the average flying speed was $66\text{ m/s}$, and the pulse repetition frequency was approximately $71\text{ kHz}$. The flight configuration yielded a nominal pulse density of $4\text{ pulses/m}^2$.

Lidar data consists of a series of records corresponding to locations ("returns") where pulses within laser scan lines intersected the ground or objects above the ground. We are specifically interested in the vertical distribution of lidar returns within an area (e.g., a plot) which provide information regarding the vertical arrangement of bole wood, branches, and foliage. Lidar data were summarized using statistics computed on first return lidar heights (these lidar statistics are henceforth referred to as "lidar metrics"). Lidar heights are lidar point elevations minus ground elevations for the same horizontal coordinates. The point data were processed to extract lidar metrics for circles centered on field plot locations with 13 m, 30 m, and 90 m radii. Lidar metrics considered in our analyses included height percentiles (e.g., $ht_{95}$ is the 95th percentile lidar height computed from all of the first-return lidar heights in the plot greater than 1 m) and cover ratios (e.g., cover, is the proportion of first returns above 1 m). Lidar data were processed, including identification of ground returns and interpolation of a digital terrain model, using the freely-available FUSION software (McGaughey, 2012). The extensive list of lidar metrics provide by FUSION can be found in the FUSION manual.

Landsat
Our analyses made use of the historical archive of Landsat TM and Landsat ETM+ imagery available from the GLOVIS website (http://glovis.usgs.gov). We selected late spring through early fall Landsat images from the years 1984 to 2009. We used only images that had cloud-free areas intersecting our A0L. Landsat ETM+ images were used from both scan line corrector (SLC) on (1999 to 2003), and SLC off (after May 2003) periods.

Landsat data were used in this study by taking advantage of the trajectories of individual pixel values over time. Ideally, the value recorded for a Landsat pixel is related to static vegetation properties (i.e., properties that are constant over a short period, such as a year) for the corresponding location on the ground. However, the value recorded for a given pixel is influenced by a wide range of factors including phenology, atmospheric conditions, solar incidence angle, sensor properties, and others. For our purposes, these factors were all considered noise. If we assume these sources of noise are random, then for a pixel representing a static ground condition, we can average values from multiple years to obtain a more representative, less noisy pixel value. However, ground conditions are rarely static and the average pixel values for a given location over time may incorporate temporal noise. The LandTrendr process (Kennedy et al., 2010) is an approach that empirically accounts for change over time in the predictor variables using piecewise linear regression. This removes time as a source of variation and makes it possible to average across pixels in time. We note, however, that modeling changes in temporal values in this exercise is just a means to an end; our objective is to have a source of explanatory information with a reduced level of noise. We are not attempting to predict changes in vegetation over time; we are attempting to eliminate temporal changes as a source of noise in our explanatory variables.

For most parametric modeling strategies, predictions near the bounds of the fitting data tend to be less stable than predictions near the center. The same is true of temporal trajectories with Landsat pixels. In our case 1984 and 2009 were the bounds of our trajectories. To mitigate this variation we used fitted values for 2007 as predictors for our analysis. We fitted pixel-based time-series models for Landsat bands 1 to 5, and 7, as well as the derivative vegetation indices normalized burn ratio (NBR), and normalized difference vegetation index (NDVI). Pixel values were interpolated to sample locations from surrounding cells by taking the averages of pixels with center points within 30 m and 90 m radii.

A beneficial side-effect of this approach is that we can predict cloud-free values for a pixel for any point in the time series. This an important benefit given the difficulty in finding cloud-free images in Alaska, the irregularities in ETM+ data after May 2003 caused by the failure of an important sensor component, the scan line corrector, for Landsat-7, and the failure of the Landsat-5 sensor (November 2011).

Model Development
In this study we refer to model development as the process of linking response and predictor variables via an empirical relationship to enable predictions of response values. In this study we make use of both kNN imputation and linear models fitted with OLS to predict response values from predictor variables. kNN imputation (where impute means to substitute for a missing value) is a well-known non-parametric approach to link response and predictor variables. In a kNN strategy, response values from one to many ($k$) observations with measured response values (reference observations) are imputed to observations for which only the predictor variables are measured (target observations). Selection of a specific group of $k$ observations from the reference set, or donors, to impute response values to a target observation is based upon the distance between the observations in predictor space. For all practical purposes the words "impute" and "predict" can be treated as synonymous, and henceforth we use the word "predict" in place of "impute."

In preliminary investigations for this study, RMSEs for kNN prediction strategies were largely insensitive to the choice of $k$ in the range of three to fifteen neighbors. We arbitrarily set $k$ to five neighbors and predicted the value of the response value as the inverse distance weighted average of the five nearest neighbors. The choice of distance metric plays an important role in kNN and has a significant role in performance. In this study, we examined four measures of distance for nearest neighbor approaches in this study. The first distance approach was Euclidean distance based on normalized predictors (kNN-EN). The second was weighted Euclidean distance with weights assigned according to the magnitudes of the coefficients when canonical correlations was used to relate normalized response and predictor variables (kNN-MSN). The third approach was based on distances calculated from a random forest proximity matrix (kNN-RF). The fourth approach was Mahalanobis distance (kNN-MH).

Linking Field Plots to Landsat
Direct and indirect approaches were used to link field measurements to remote sensing data. In the direct approach, Landsat was linked to field measurements with a model:

$$y = f(x) + \delta_i$$  \hspace{1cm} (1)

where $x$ is the matrix of Landsat variables for sample, $y$ is the response variable for sample, $f(x)$ is a fitted model relating $x$ and $y$, for example, and $\delta_i$ is a vector of random noise.

The model $f_i$ was then used with wall-to-wall Landsat to predict the response variable for the landscape:

$$y = f(X)$$  \hspace{1cm} (2)
where \( X \) is the matrix of Landsat variables for landscape, and \( Y \) is the predictions from \( f \) for landscape.

Similarly we directly related the response to lidar for the field sample:

\[
Y = f(X) + \epsilon
\]

where \( z \) is the matrix of lidar variables for sample, \( Y \) is the response variable for sample, and \( \epsilon \) is the vector of random noise.

However, unlike with Landsat, we only had lidar variables for a subset of the landscape (the lidar strips) and thus could only directly predict our response for a subset of the landscape:

\[
\hat{Y} = f(Z')
\]

where \( Z' \) is the matrix of lidar variables for strips, and \( \hat{Y} \) is the predictions from \( f \) for strips.

Our first of two indirect modeling strategies (1A) to circumvent this limitation was to predict the values of lidar metrics for the entire landscape from Landsat. To do this we first related our Landsat variables to our lidar variables:

\[
Z' = f(X') + \hat{\epsilon}
\]

where \( X' \) is the matrix of Landsat variables for strips, and \( \hat{\epsilon} \) is the matrix of residuals for lidar variables. We then used \( f \) to predict our lidar variables for the landscape:

\[
\hat{Z} = f(X)
\]

where \( \hat{Z} \) is the matrix of predicted lidar variables for landscape.

With the predicted matrix \( Z \) of lidar variables we used \( f \) to predict our response for the landscape:

\[
\hat{Y} = f(Z).
\]

In the second indirect modeling strategy (1B), predicted forest attributes were modeled with Landsat:

\[
\hat{Y} = f(X') + \hat{\epsilon}
\]

where \( f \) is the model relating \( \hat{Y} \) and \( X' \), and \( \hat{\epsilon} \) is the vector of residuals.

In this case the Landsat and the predicted forest attributes are of matched resolutions, which differ from the resolution of the field measurements. After fitting \( f \) we then predicted our response variable for the landscape using Landsat:

\[
\hat{Y} = f(X).
\]

The resolution used to relate lidar to Landsat was different from the resolution used to relate lidar to the field plots. When we related lidar to our forest attributes from the field plot, we used the subplot area which was 166 m². When we related lidar to Landsat, we could comfortably use any resolution coarser than 900 m², and in this study we examined 900 m² and 9100 m².

**Variance Estimation Theory**

Part of our modeling effort (indirect models 1A and 1B) included two steps. Here, we use basic statistical principles to develop a variance estimator for this case. We began by examining generic model \( f \) used to relate a response variable to explanatory variables:

\[
Y = f[Z] + \epsilon
\]

where \( Z \) is the matrix of predictor values, \( Y \) is the response variable, and \( \epsilon \) is a vector of random noise.

Predictions from \( f \) can be obtained from explanatory information:

\[
\hat{Y} = f(Z') = \text{predicted response value for some values } Z'
\]

\[
= Y - \epsilon
\]

A second model \( f \) described the relationship between our predicted response and an alternate set of predictor variables:

\[
\hat{Y} = f(X) + \epsilon
\]

where \( X \) is the matrix of alternate predictor variables, and \( \epsilon \) is a second vector of random noise.

We can see that because \( f \) was fitted to predictions of the response, we now have two sources of error:

\[
\hat{Y} = Y - \epsilon = f(X) + \epsilon
\]

The variance of \( Y \) given \( X \) can then be expressed by recognizing that it is the variance of a sum of error terms:

\[
\text{Var}[Y|X] = \text{Var}[\epsilon_1 + \epsilon_2] = \text{Var}[\epsilon_1] + \text{Var}[\epsilon_2] + 2 \times \text{Cov}(\epsilon_1, \epsilon_2)
\]

where \( \text{Var}[\cdot] \) is the variance of, and \( \text{Cov}(\cdot, \cdot) \) is the covariance of \( \epsilon_1 \) and \( \epsilon_2 \).

A variance estimator can be developed from consistent estimators for the various components:

\[
\text{Var}[Y|X] = \text{Var}[\hat{\epsilon}_1] + \text{Var}[\hat{\epsilon}_2] + 2 \times \text{Cov}(\hat{\epsilon}_1, \hat{\epsilon}_2)
\]

where \( \text{Var}[\hat{\epsilon}_1] \) and \( \text{Var}[\hat{\epsilon}_2] \) are estimates of \( \text{Var}[\epsilon_1] \) and \( \text{Var}[\epsilon_2] \), \( \text{Cov}(\hat{\epsilon}_1, \hat{\epsilon}_2) \) is the estimated covariance of \( \hat{\epsilon}_1 \) and \( \hat{\epsilon}_2 \), and \( \hat{\epsilon}_1 \) and \( \hat{\epsilon}_2 \) are residuals from fitted models \( f \) and \( f \).

A modification to the described variance estimation strategy was necessary for our first indirect strategy, Equations 5 through 7, because in Equation 5 we do not have residuals for the response variable due to the fact that we were modeling lidar metrics with Landsat. For this step the residuals \( \hat{\epsilon}_1 \) in Equation 15 are estimated as the difference between predictions of the response with \( f \) from the original lidar values for the lidar strips and from the fitted lidar values:

\[
\hat{\epsilon}_1 = f(Z') - f(\hat{Z})
\]

**Estimators**

The components of our variance estimators \( \text{Var}[\hat{\epsilon}_1], \text{Var}[\hat{\epsilon}_2] \) and \( \text{Cov}(\hat{\epsilon}_1, \hat{\epsilon}_2) \) were estimated using a leave-k cross-validation strategy (not to be confused with k-folds cross validation) for field plots. Residuals were estimated by omitting entire plots (consisting of multiple subplots) at one time. Residual variance was estimated as:

\[
\hat{\sigma}_e^2 = \frac{1}{kN} \sum_{i=1}^{kN} (\hat{Y}_i - Y_i)^2
\]

where \( \hat{\sigma}_e^2 \) is the plot observation omitted from model fitting procedure, \( k \) is the number of observations omitted in an iteration, \( N \) is the number of simulations, \( Y_i \) is the prediction for omitted observation (plot), and \( \hat{Y}_i \) is the observed response for omitted observation (plot).

We opted for a leave-k-out (k > 1) strategy because we found that the estimator was more likely to converge to the apparent error rate for a small sample than a leave-1-out strategy. A leave-k strategy will be increasingly conservatively
biased for increasing values of $k$, but the bias will be small for small values of $k$, and will provide an estimator with considerably reduced variance. This was evident when we tracked our standard error values for the leave-$k$-out estimator with $k = 3$. As can be seen in Figure 2, the estimator was highly variable for fewer than 200 simulations. Efron and Tibshirani (1993, pp. 149–146) provide some discussion of failure from the related jackknife estimator. For a sample with more than 200 observations, we could reasonably have used the leave-1-out estimator, but since our sample only had 32 plots, the sampling distribution of the estimator would have been highly variable.

Figure 2. Visual diagnostic of convergence relative to number of simulations for a leave-3-out estimator of residual standard deviation.

Direct models relating field plot measurements to remote sensing data were fitted using the 80 subplots with field measurements, lidar, and Landsat. A slightly larger proportion of the landscape was used to relate lidar to Landsat. Using a larger number of observations on average improves the performance of these models. While the number of values with both lidar and Landsat was quite large, to expedite simulations we restricted our analyses to a subset of 1,500 locations on the Kenai Peninsula with both lidar and Landsat. Calculations for each configuration required extensive processing time, particularly for approaches involving kNN. We used 1,500 points because preliminary tests showed that more than 1,500 observations did not appreciably affect estimates of residual variability. The 1,500 points were obtained by distributing a systematic grid within the lidar strips. The 1,500 random points were in addition to the 80 subplots that had field measurements, lidar, and Landsat. Models relating lidar and Landsat were developed from all 1,500 random points and 80 subplots, but the residual variability was estimated using residuals for the 80 subplots; the models were fitted to individual subplots, but residual variability was estimated by simultaneously omitting all subplots corresponding to a plot.

Table 2, RMSE Values (and Percent Relative To The Between Plot Variability) For Direct Prediction Strategy With Lidar For Approaches Used To Link Lidar To Field Plots

<table>
<thead>
<tr>
<th>Models</th>
<th>$\hat{\sigma}<em>{1,1P}$ ($\hat{\sigma}</em>{1,1P} \times 100%$)</th>
<th>$\hat{\sigma}<em>{1,2P}$ ($\hat{\sigma}</em>{1,2P} \times 100%$)</th>
<th>$\hat{\sigma}<em>{1,3P}$ ($\hat{\sigma}</em>{1,3P} \times 100%$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OLS</td>
<td>21061 (44%)</td>
<td>5.0 (52%)</td>
<td>193 (77%)</td>
</tr>
<tr>
<td>kNN-MSN</td>
<td>23786 (50%)</td>
<td>5.5 (58%)</td>
<td>213 (85%)</td>
</tr>
<tr>
<td>kNN-RF</td>
<td>22395 (47%)</td>
<td>4.9 (54%)</td>
<td>184 (72%)</td>
</tr>
<tr>
<td>kNN-EU</td>
<td>23680 (50%)</td>
<td>5.1 (54%)</td>
<td>177 (70%)</td>
</tr>
<tr>
<td>kNN-MH</td>
<td>28734 (60%)</td>
<td>6.2 (68%)</td>
<td>216 (87%)</td>
</tr>
</tbody>
</table>

Table 3, RMSE Values (and Percent Relative To The Between Plot Variability) For Direct Prediction Strategy With Landsat For Approaches Used To Link Landsat To Field Plots

<table>
<thead>
<tr>
<th>Models</th>
<th>$\hat{\sigma}<em>{1,1P}$ ($\hat{\sigma}</em>{1,1P} \times 100%$)</th>
<th>$\hat{\sigma}<em>{1,2P}$ ($\hat{\sigma}</em>{1,2P} \times 100%$)</th>
<th>$\hat{\sigma}<em>{1,3P}$ ($\hat{\sigma}</em>{1,3P} \times 100%$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OLS</td>
<td>43115 (92%)</td>
<td>8.4 (90%)</td>
<td>228 (83%)</td>
</tr>
<tr>
<td>kNN-MSN</td>
<td>48344 (104%)</td>
<td>9.3 (100%)</td>
<td>243 (96%)</td>
</tr>
<tr>
<td>kNN-RF</td>
<td>46053 (99%)</td>
<td>8.8 (95%)</td>
<td>233 (92%)</td>
</tr>
<tr>
<td>kNN-EU</td>
<td>48862 (105%)</td>
<td>9.4 (101%)</td>
<td>237 (96%)</td>
</tr>
<tr>
<td>kNN-MH</td>
<td>48863 (104%)</td>
<td>9.2 (100%)</td>
<td>237 (96%)</td>
</tr>
</tbody>
</table>

The performance of the two indirect modeling strategies were highly dependent upon whether 900 m² or 8,100 m² resolution was used to link lidar and Landsat. For the 900 m² resolution (Tables 4 and 5) the performance for the first indirect strategy (I.A) was superior to the second (I.B) in terms of RMSE for biomass and volume for nearly every modeling configuration. This was especially true for biomass, although the poorest performing I.A approaches were exceeded by the best I.B approaches. Number of stems/ha at 900 m² resolution was the only example in which strategy I.B appears to be generally superior. Both I.A and I.B strategies saw improvement from using 8,100 m² resolution data in linking lidar to Landsat, but the improvement was minimal for strategy I.B. For strategy I.A, improvements were substantial for all three of the response variables for several combinations of models.

Among the RMSE values reported for the various strategies in Tables 3 through 6, some of the modeling approaches consistently performed better than others. KNN-MH OLS, for example, was competitive in nearly every case. The OLS OLS approach also generally performed well, and for I.A with 900 m² resolution performed the best of any of the strategies examined. Excluding OLS OLS, it appears that approaches using kNN model followed by OLS performed the best for biomass (See Table 7). There was no clear difference between these two groups for volume, and OLS followed by a kNN approach worked best for number of stems/ha.

Table 3, RMSE Values (and Percent Relative To The Between Plot Variability) For Direct Prediction Strategy With Landsat For Approaches Used To Link Landsat To Field Plots
Table 4. RMSE Values (and Percent Relative To The Between Plot Variability) For Indirect Modeling Strategy 1A For The Approaches Used To Link Field Plots To LiDAR And Landsat When LiDAR And Landsat Were Linked At 900 m² Resolution

<table>
<thead>
<tr>
<th>Models</th>
<th>bio kg/ha (%)</th>
<th>ha m²/ha (%)</th>
<th>stems/ha (%)</th>
<th>(\frac{\delta_{\text{3P}}}{\delta_{\text{3PB}} \times 100}%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OLS</td>
<td>39228</td>
<td>7.8</td>
<td>229</td>
<td>61%</td>
</tr>
<tr>
<td>OLS kNN-MSN</td>
<td>43239</td>
<td>8.6</td>
<td>241</td>
<td>96%</td>
</tr>
<tr>
<td>OLS kNN-RF</td>
<td>41474</td>
<td>8.3</td>
<td>236</td>
<td>94%</td>
</tr>
<tr>
<td>OLS kNN-EU</td>
<td>42183</td>
<td>8.2</td>
<td>234</td>
<td>93%</td>
</tr>
<tr>
<td>OLS kNN-MH</td>
<td>45084</td>
<td>8.9</td>
<td>249</td>
<td>99%</td>
</tr>
<tr>
<td>kNN-MSN OLS</td>
<td>39387</td>
<td>8.8</td>
<td>302</td>
<td>120%</td>
</tr>
<tr>
<td>kNN-RF OLS</td>
<td>37537</td>
<td>8.0</td>
<td>258</td>
<td>105%</td>
</tr>
<tr>
<td>kNN-EU OLS</td>
<td>33562</td>
<td>7.8</td>
<td>258</td>
<td>103%</td>
</tr>
<tr>
<td>kNN-MH OLS</td>
<td>33161</td>
<td>7.8</td>
<td>285</td>
<td>117%</td>
</tr>
</tbody>
</table>

Table 5. RMSE Values (and Percent Relative To The Between Plot Variability) For Indirect Modeling Strategy 1B For The Approaches Used To Link Field Plots To LiDAR And Landsat When LiDAR And Landsat Were Linked At 900 m² Resolution

<table>
<thead>
<tr>
<th>Models</th>
<th>bio kg/ha (%)</th>
<th>ha m²/ha (%)</th>
<th>stems/ha (%)</th>
<th>(\frac{\delta_{\text{3P}}}{\delta_{\text{3PB}} \times 100}%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OLS</td>
<td>43159</td>
<td>8.3</td>
<td>222</td>
<td>88%</td>
</tr>
<tr>
<td>OLS kNN-MSN</td>
<td>43742</td>
<td>8.7</td>
<td>222</td>
<td>88%</td>
</tr>
<tr>
<td>OLS kNN-RF</td>
<td>46336</td>
<td>9.2</td>
<td>227</td>
<td>90%</td>
</tr>
<tr>
<td>OLS kNN-EU</td>
<td>46112</td>
<td>9.2</td>
<td>226</td>
<td>90%</td>
</tr>
<tr>
<td>OLS kNN-MH</td>
<td>45582</td>
<td>9.1</td>
<td>221</td>
<td>89%</td>
</tr>
<tr>
<td>kNN-MSN OLS</td>
<td>45264</td>
<td>9.3</td>
<td>259</td>
<td>103%</td>
</tr>
<tr>
<td>kNN-RF OLS</td>
<td>44800</td>
<td>8.6</td>
<td>216</td>
<td>86%</td>
</tr>
<tr>
<td>kNN-EU OLS</td>
<td>44053</td>
<td>8.7</td>
<td>221</td>
<td>88%</td>
</tr>
<tr>
<td>kNN-MH OLS</td>
<td>36764</td>
<td>8.3</td>
<td>249</td>
<td>99%</td>
</tr>
</tbody>
</table>

Table 6. RMSE Values (and Percent Relative To The Between Plot Variability) For Indirect Modeling Strategy 1B When LiDAR And Landsat Were Linked At 8,100 m² Resolution

<table>
<thead>
<tr>
<th>Models</th>
<th>bio kg/ha (%)</th>
<th>ha m²/ha (%)</th>
<th>stems/ha (%)</th>
<th>(\frac{\delta_{\text{3P}}}{\delta_{\text{3PB}} \times 100}%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OLS</td>
<td>26538</td>
<td>6.1</td>
<td>203</td>
<td>81%</td>
</tr>
<tr>
<td>OLS kNN-MSN</td>
<td>35550</td>
<td>7.3</td>
<td>213</td>
<td>85%</td>
</tr>
<tr>
<td>OLS kNN-RF</td>
<td>36543</td>
<td>7.5</td>
<td>217</td>
<td>95%</td>
</tr>
<tr>
<td>OLS kNN-EU</td>
<td>37144</td>
<td>7.6</td>
<td>222</td>
<td>89%</td>
</tr>
<tr>
<td>OLS kNN-MH</td>
<td>37347</td>
<td>7.8</td>
<td>215</td>
<td>85%</td>
</tr>
<tr>
<td>kNN-MSN OLS</td>
<td>30960</td>
<td>7.5</td>
<td>258</td>
<td>103%</td>
</tr>
<tr>
<td>kNN-RF OLS</td>
<td>31944</td>
<td>7.1</td>
<td>243</td>
<td>97%</td>
</tr>
<tr>
<td>kNN-EU OLS</td>
<td>29562</td>
<td>6.8</td>
<td>224</td>
<td>97%</td>
</tr>
<tr>
<td>kNN-MH OLS</td>
<td>29358</td>
<td>6.3</td>
<td>238</td>
<td>95%</td>
</tr>
</tbody>
</table>

**Discussion**

**Multi-Level Modeling Strategies**

We examined both direct and indirect strategies to link Landsat to field measured attributes. The direct strategy with plot and Landsat data had the poorest performance; our later analyses of 8,100 m² and 6,100 m² resolutions suggest that plot size played a role. Our findings also suggest that a direct Landsat approach would be more successful with a larger number of plots. Conceivably, if the area covered by four subplots per FIA plot were consolidated into a single larger plot, the performance of Landsat models would be improved for the forest attributes examined herein. However, such a plot design would provide less information about variables not effectively modeled with LiDAR, and in many cases large Landsat-optimized plot designs (e.g., 8,100 m² in area) would either not be affordable or compatible with existing designs. LiDAR provides an opportunity to help bridge the gap between field plots and Landsat in such cases; FIA plots are an example of a design that will continue to benefit from the use of LiDAR to bridge the gap. This was especially true for our study area where a lidar strip can be substantially less expensive than a field plot. If performance can be improved for variables associated with forest structure by leveraging lidar, then it may be possible to devote more energy to measuring variables which are more difficult to predict with remote sensing.

Our analyses also showed that the first indirect modeling strategy (1A) appeared to perform better, on average, than the second (1B), but there was wide variation in performance depending on which type of model was used to link the various layers of data. Prediction performance for indirect strategies also improved when we used larger areas to relate lidar to Landsat; although the degree of improvement also varied considerably depending upon the types of models used. The best overall performance was seen with modeling strategy 1A for 8,100 m² resolution in which linear models fit with OLS were used to link field plots and remote sensing. The performance of this approach may further improve in instances where coarser resolutions are used to relate lidar and Landsat because the proportion of overlapping areas between lidar and Landsat would increase, reducing the impacts of edge effects, registration errors, and noise.

**Limitations**

There were a variety of limitations in our study with respect to the training dataset which restricted our ability to explore different modeling scenarios. As a result, the findings we
present here are certainly not the last word on the issues explored in this study, even for our study area. For example, many of our field measurements were not collected simultaneously with the lidar data. Field measurements spanned a five year period, while lidar data were collected in 2009, the fifth year of field data collection. Furthermore, the number of training observations was small, and the size of subplots was quite small. As a result, we cannot speculate on the performance of our approach under ideal conditions. However, given that we were able to explain more variability with indirect approaches than with a direct approach with LandSat; our results still indicate that using lidar to scale up the information from improved model performance when we compare this to a complete area collection, This strategy is chiefly aimed to leverage the forest structure information measured by lidar, while collecting the data for a reduced cost relatively to a complete area collection. This strategy is chiefly aimed at point estimation (e.g., total biomass for an area), but we demonstrate in this study that lidar strips can also be useful in training coarser resolution LandSat data for prediction of forest attributes including biomass, volume, and trees per hectare. We explored a number of approaches and found that linking plot data to lidar and lidar to LandSat in separate steps before predicting forest attributes with Landsat improved the precision of predictions (lower RMSE). We also found that using 0.100 m² resolution to link lidar to LandSat performed better than with 900 m² resolution. Moving to an even larger area for linking lidar to LandSat may also prove beneficial. While we performed our analyses only for a sample of locations on the peninsula in our exploratory investigations, the use of LandSat-derived layers enables predictions across the entire AOI.

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References


