Considering economic efficiency in ecosystem-based management: The case of horseshoe crabs in Delaware Bay

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#### Illustration by Christiane Engel

# Ecosystem Based Management

**Approaches:** 

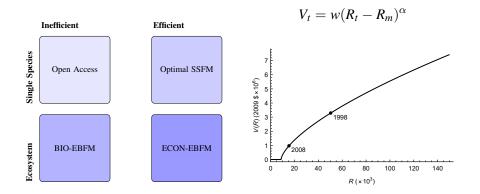
- BIO-EBFM: Add ecosystem considerations to existing management
- ECON-EBFM: Management maximizes economic efficiency considering a broader array of ecosystem services

# **Research Question**

How do outcomes from BIO-EBFM and ECON-EBFM compare?

■ We also explore OA and optimal SSFM

# **Research Approach**



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#### Contributions

- We add to the economics literature on the welfare gains from EBFM
- 2 We use a simple model to explore a range of welfare outcomes from a regulated open access fishery
- 3 We apply methods from time-series econometrics to decompose the shadow price of horseshoe crabs

# Model: OA

$$\dot{E}_t = \gamma E_t(\Pi_t/E_t) = \gamma E_t(pqC_t - \delta E_t), \quad t \in [-T_1, 0],$$

$$\dot{C}_t = g_c C_{t-\tau} \exp(-C_{t-\tau}/K_c^*) - \eta_c C_t - q C_t E_t,$$

$$\dot{R}_t = g_r R_t \left( 1 - \frac{R_t}{K_{r,t}^*(C_t)} \right)$$

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# Model: BIO-EBFM

$$\max_{E_{t}, t \in [0,T]} \int_{0}^{T} qC_{t}E_{t}dt$$
  
subject to  $\dot{C}_{t} = g_{c}C_{t-\tau} \exp(-C_{t-\tau}/K_{c}^{*}) - \eta_{c}C_{t} - qC_{t}E_{t}, \quad t \in [0,T],$   
 $\dot{R}_{t} = g_{r}R_{t} \left(1 - \frac{R_{t}}{K_{r,t}^{*}(C_{t})}\right), \quad t \in [0,T],$   
 $qE_{t} \leq F_{MSY}, \quad t \in [0,T],$   
 $E_{t} \leq 0 \quad \text{if } R_{t} < \Theta_{r}, \quad t \in [0,T],$   
 $E_{t}, C_{t}, R_{t} \geq 0, \quad t \in [0,T],$   
 $C_{t} = \phi_{t}, \quad t \in [-\tau,0], \quad \text{and} \quad R_{0} = \psi_{0}.$ 

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# Model: ECON-EBFM

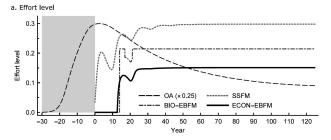
$$\max_{E_{t},t\in[0,T]} \int_{0}^{T} e^{-\rho t} \left( \Pi_{t}(C_{t},E_{t}) + V_{t}(R_{t}) \right) dt$$
  
subject to  $\dot{C}_{t} = g_{c}C_{t-\tau} \exp(-C_{t-\tau}/K_{c}^{*}) - \eta_{c}C_{t} - qC_{t}E_{t}, \quad t \in [0,T],$   
 $\dot{R}_{t} = g_{r}R_{t} \left( 1 - \frac{R_{t}}{K_{r,t}^{*}(C_{t})} \right), \quad t \in [0,T],$   
 $E_{t}, C_{t}, R_{t} \ge 0, \quad t \in [0,T],$   
 $C_{t} = \phi_{t}, \quad t \in [-\tau, 0], \quad \text{and} \quad R_{0} = \psi_{0},$ 

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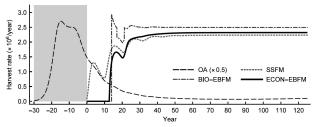
# Solution: ECON-EBFM

- $\lambda_t$  decomposed into:
  - 1  $\lambda_{1,t}$ : +  $\uparrow$  immediate HSC harvest
  - 2  $\lambda_{2,t}$ :  $\Downarrow$  instantaneous HSC growth rate
  - 3  $\lambda_{3,t}$  : +  $\uparrow$  HSC recruitment at time  $t + \tau$
  - 4  $\lambda_{4,t}$ : +  $\uparrow$  red knots
- We calculate mutations of λ<sub>t</sub> by setting cumulative historical impacts of some components to zero

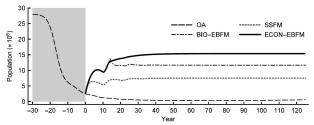
#### **Results:** Trajectories



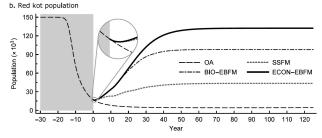




#### **Results:** Trajectories

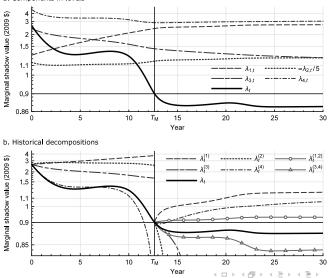


a. Horseshoe crab population



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#### **Results:** Decomposition

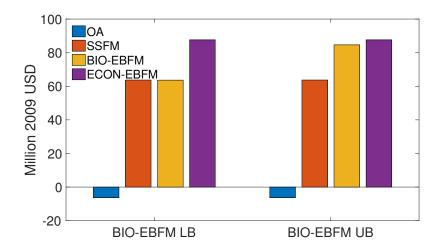


a. Components in levels

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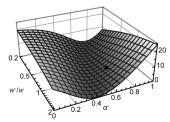
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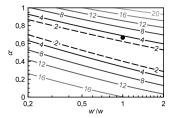
Results: NPV



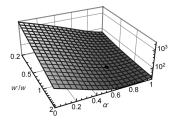
#### **Results: Sensitivity Analysis**

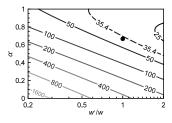
a. No rent dissipation under BIO-EBFM





b. Complete rent dissipation under BIO-EBFM





# Thank you





