

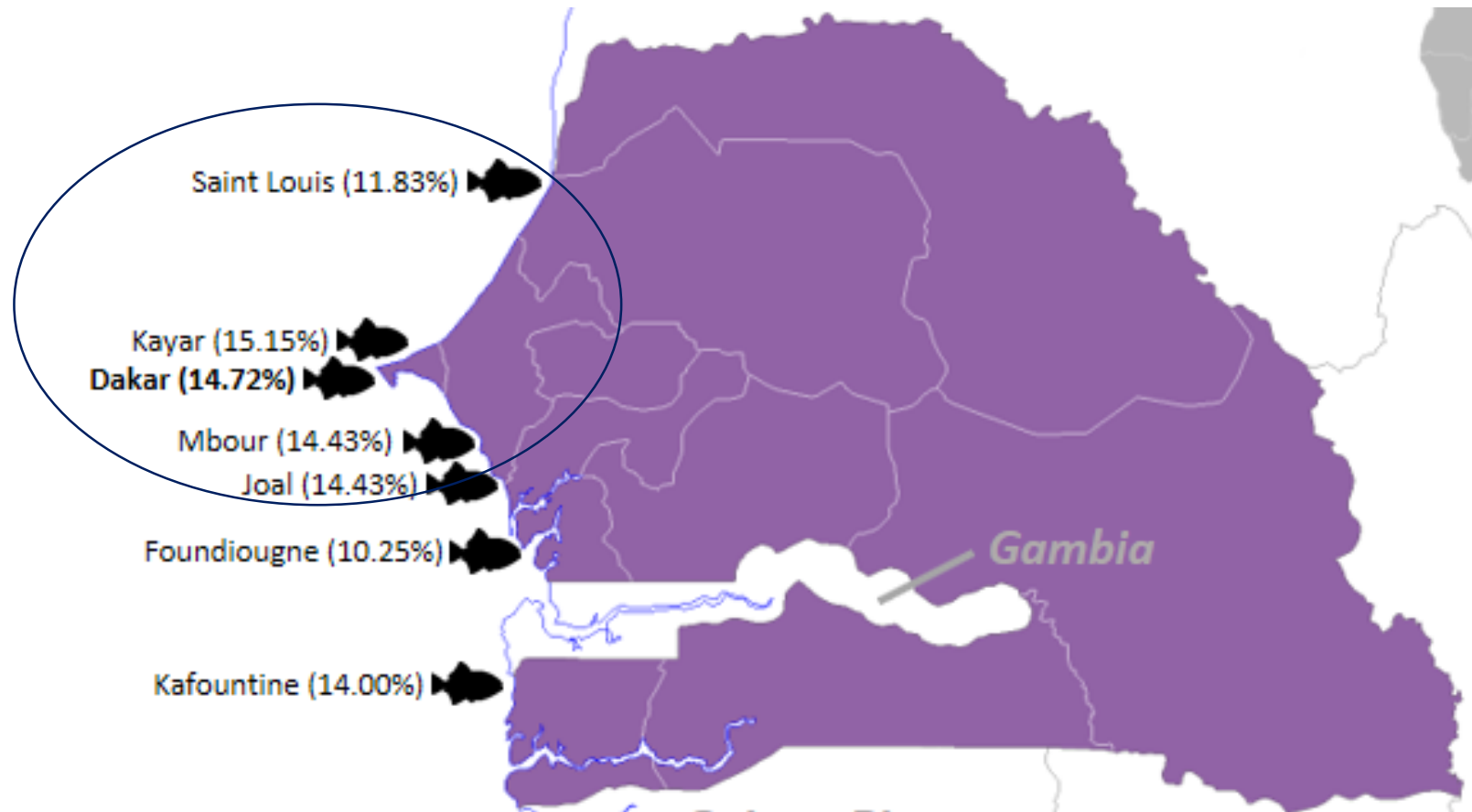
# The Senegalese artisanal fleet under seasonality & irreversible investment



# Structure

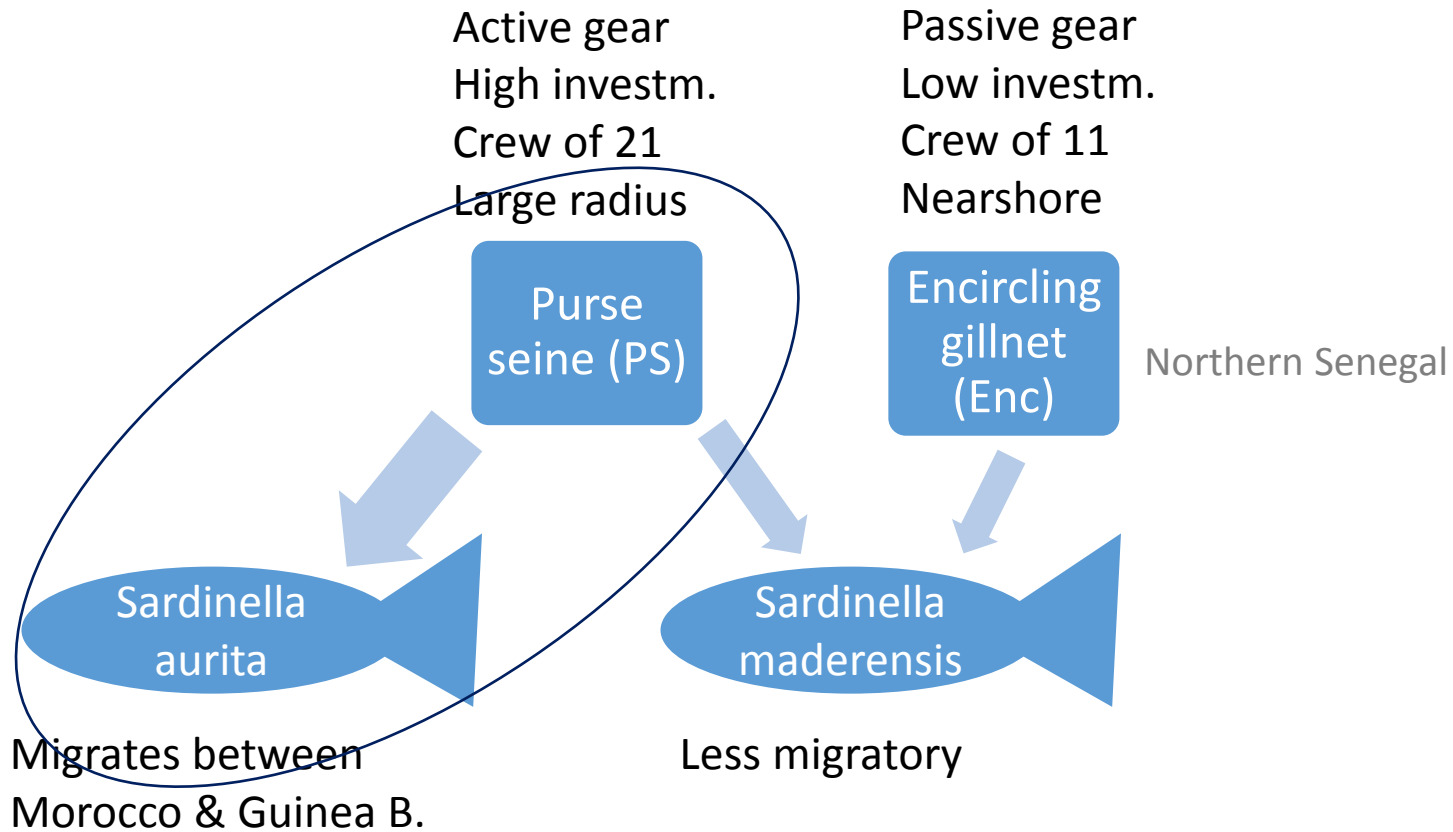
1. Motivation
2. Literature
3. Model
4. Data & Estimation
5. Conclusion

# Motivation: The research area

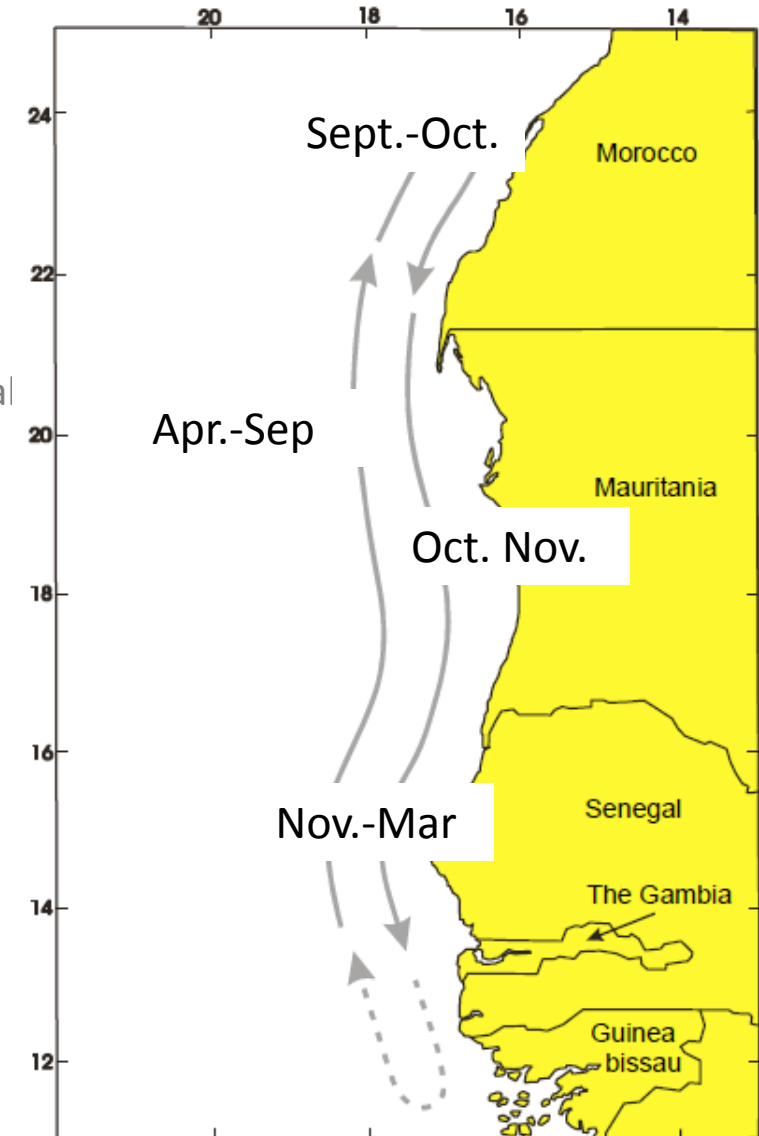
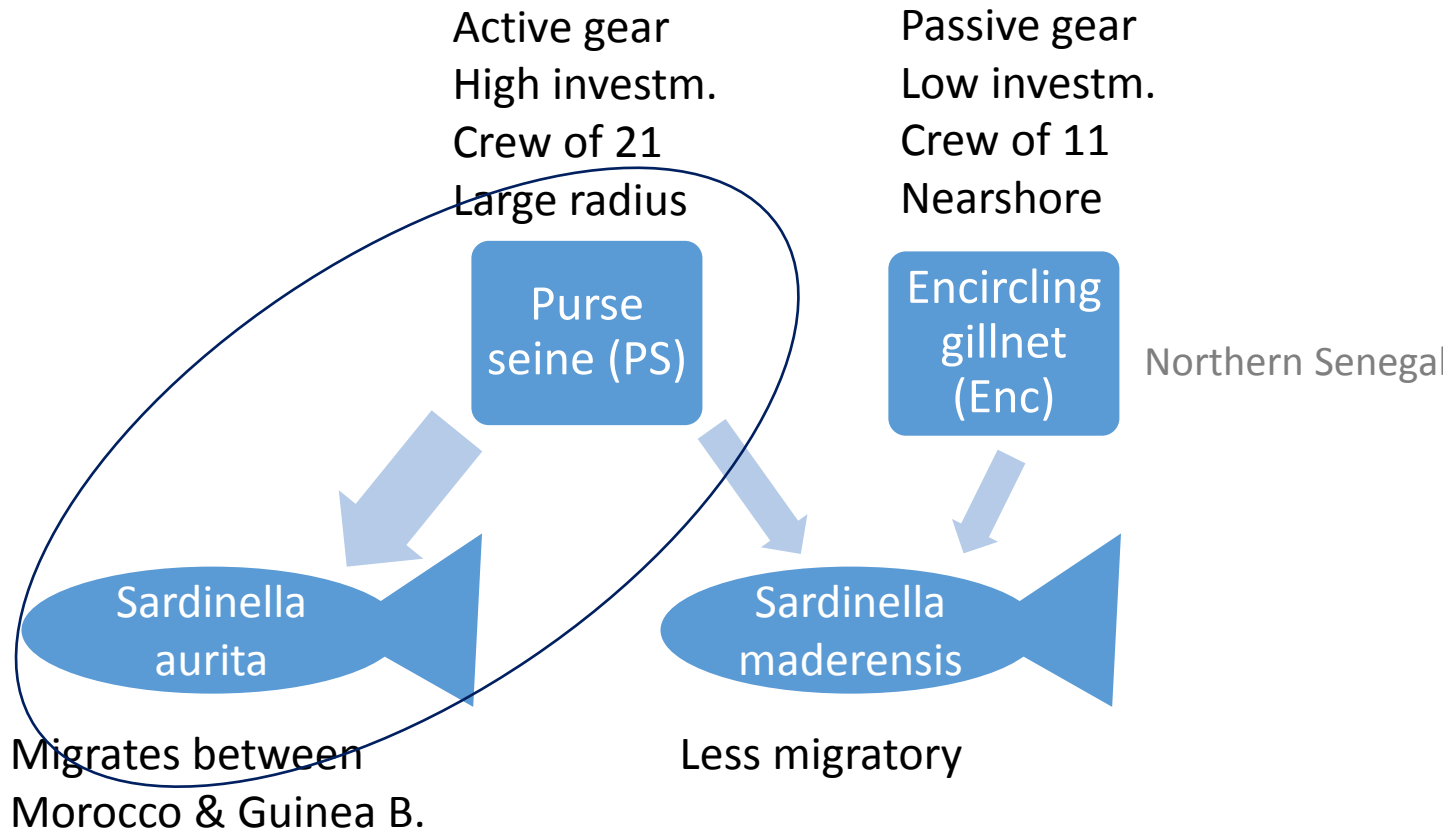


% of observations on artisanal fishing vessels in Senegal in the PREFACE survey

# Motivation: Species and sectors



# Motivation: Species and sectors



+ : Cultural sharing system: Fixed shares to labor and capital  
→ Labor has a share in seasonality

# Motivation

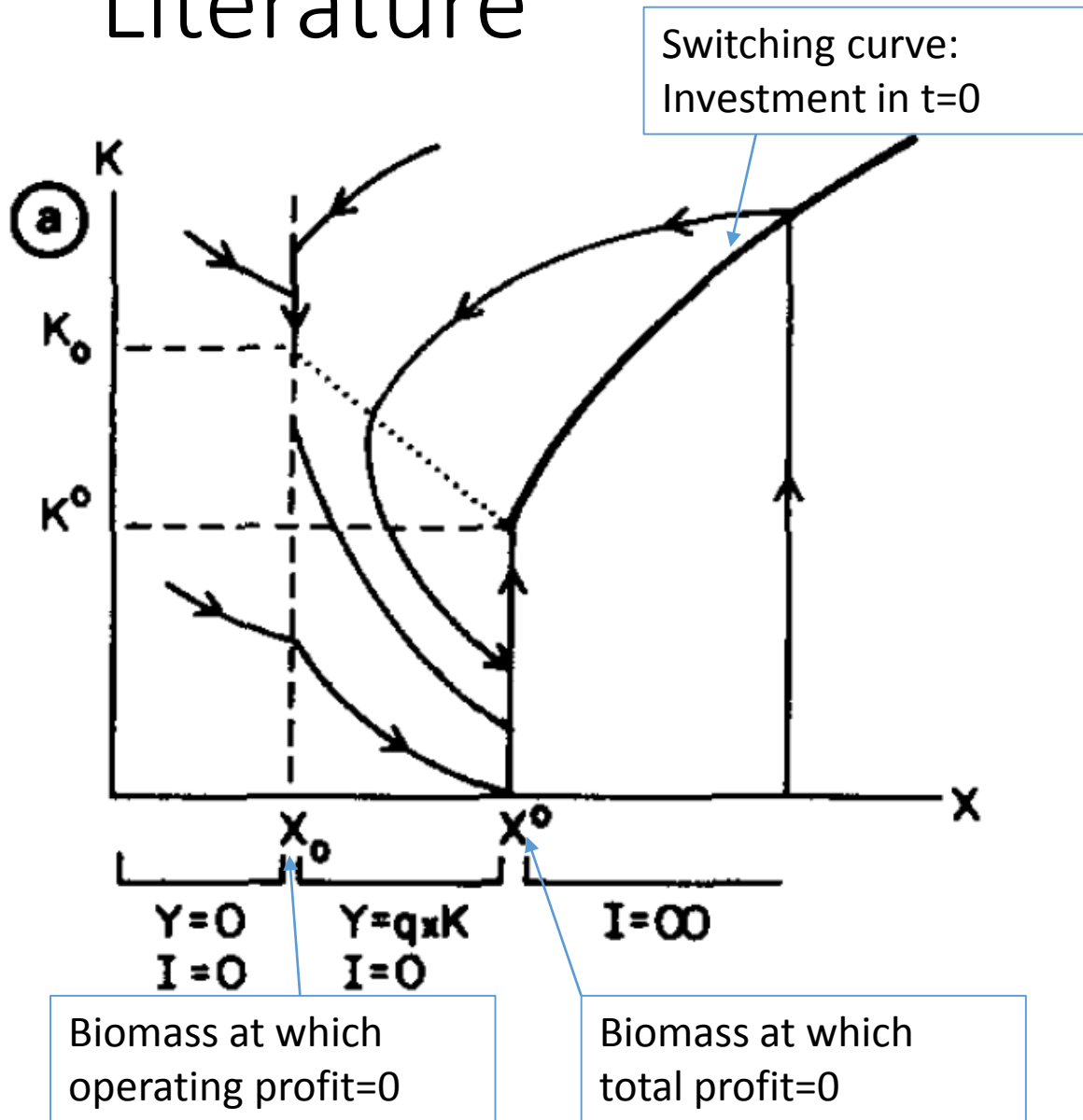
## **Research questions:**

- What is the effect of seasonality on Senegalese fishing fleets' input decisions when capital is non-malleable?
- How do these effects differ between capital versus labor intensive fleets?
- What are the effects of the cultural sharing system and of fuel and capital subsidies?

## **Expected results:**

- Capital is overemployed
- Capital intensive fleets more prone to seasonality
- Sharing system partly shifts seasonality impact from capital towards labor

# Literature



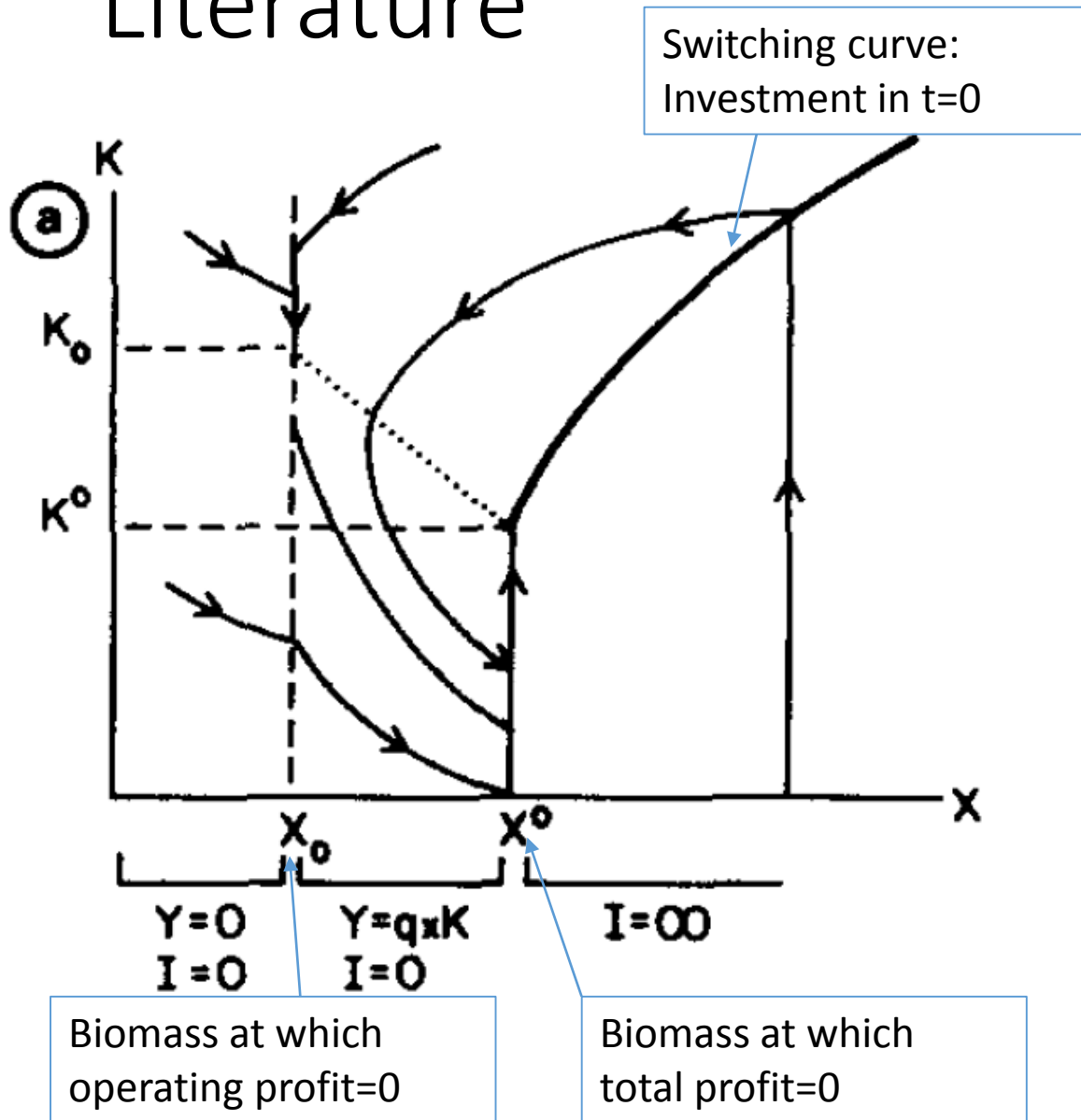
## Open access case by McKelvey (1985):

(based on previous analysis of the optimal case by Clark, Clarke and Munroe (1979))

$$H_t = qx_t K_t \quad C = \frac{c}{qx_t} H_t$$

- Phase plane portrait of capital  $K$  and biomass  $x$

# Literature



Open access case by McKelvey (1985):

$$H_t = qx_t K_t \quad C = \frac{c}{qx_t} H_t$$

- Switching curve is determined by the usual investment rule ( $r$  is capital unit cost):

$$\int_0^{\infty} e^{-(\rho+\delta)t} \max \{ pqx_t - c, 0 \} = r$$

- Seasonality leads to cycles in steady state biomass:

$$x^0 = \frac{c + \rho r}{pq} \quad x_0 = \frac{c}{pq}$$



# The model: Setup

$$G_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t) = q_{tf} K_{tf}^{\alpha_f} L_{tf}^{\beta_f} F_{tf}^{\gamma_f} B_t$$

Harvest production function (incl. cap., labor & fuel)

$$\pi_{tf} = pG_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t) - wL_{tf} - bF_{tf} - rI_{tf}$$

Profit in period t

$$\dot{K}_{tf} = I_{tf} - \delta K_{tf}, \quad I_{tf} \geq 0$$

Capital dynamics (quasi malleable)

$$\dot{B}_t = g(B_t) - H_{tf} = zB_t \left(1 - \frac{B_t}{CC}\right) - H_{tf}$$

Biomass dynamics

$$q_{tf} = \phi \sin(t) + \varepsilon$$

Seasonality in catchable biomass  $q_{tf} B_t$

# The model: Optimization

$$L_f = \int_0^{\infty} e^{-\rho t} \left( pG_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t) - wL_{tf} - bF_{tf} + \left( (v_{tf} - r)(\delta + \rho) - \dot{v}_{tf} \right) K_{tf} \right) dt + e^{-\rho \infty} v_{\infty f} K_{\infty f} + \text{constant}$$

$$p \frac{\partial G_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t)}{\partial L_{tf}} = w$$

$$p \frac{\partial G_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t)}{\partial F_{tf}} = b$$

$$p \frac{\partial G_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t)}{\partial K_{tf}} = (r - v_{tf})(\delta + \rho) + \dot{v}_{tf}$$

$$KT : \dot{K}_{tf} + \delta K_{tf} \geq 0, v_{tf} \geq 0, v_{tf} \left( \dot{K}_{tf} + \delta K_{tf} \right) = 0$$

In general: Value of the marginal product equals marginal cost.

# The model: Interpretation

$$p \frac{\partial G_{tf} (K_{tf}, L_{tf}, F_{tf}, B_t)}{\partial K_{tf}} = (r - \nu_{tf})(\delta + \rho) + \dot{\nu}_{tf}$$

$$KT : \dot{K}_{tf} + \delta K_{tf} \geq 0, \nu_{tf} \geq 0, \nu_{tf} \left( \dot{K}_{tf} + \delta K_{tf} \right) = 0$$

- $\nu$  is the Lagrangian multiplier for the nonnegative-investment constraint
- Shadow value of disinvestment

Case 1: Investment is positive:  $\nu$  is zero

- If catchable biomass shrinks, expect  $\nu$  to increase  $\rightarrow$  invest less (than with perfectly malleable cap.)
- If catchable biomass increases, expect  $\nu$  to decrease  $\rightarrow$  invest more

Case 2: Investment is negative:  $\nu$  is positive

- Employ all capital available (efficiency) (Region II in the phase diagram)

# Data & Estimation: The Production function

$$\log\left(\frac{H_{tf}}{B_t}\right) = \ln\left(q_{\text{basemonthf}}\right) + \alpha_f \log(K_{tf}) + \beta_f \log(L_{tf}) + \gamma_f \log(F_{tf}) \\ + \sum_{i=1}^{12} d^* \text{Month}_i + \psi \log\left(\frac{H_{t-1f}}{B_{t-1}}\right) + \varepsilon_{it}$$

- Capital, labor and fuel use in a classical CD estimation using OLS
- Adding monthly dummies to estimate seasonal catchabilities
- Introducing one lag to account for autocorrelation

# Data & Estimation: Dataset

Time series of...	Unit	scale	Used as
Catch	Tons	Monthly, regional	Harvest
Effort	Days at sea	Monthly, regional	Labor
Fuel use	1000 l	Monthly, regional	Fuel input
Fuel price	FCFA/1000L	Monthly, regional	Fuel input/ dual
Fish price	FCFA/ton	Monthly, regional	Fuel input/ dual
Vessel number	Units	Yearly	Capital
Biomass	tons	Yearly	Biomass

In addition:

Data from the PREFACE survey on costs, depreciation, credit markets, crew size etc.

# Data & Estimation: The Production function

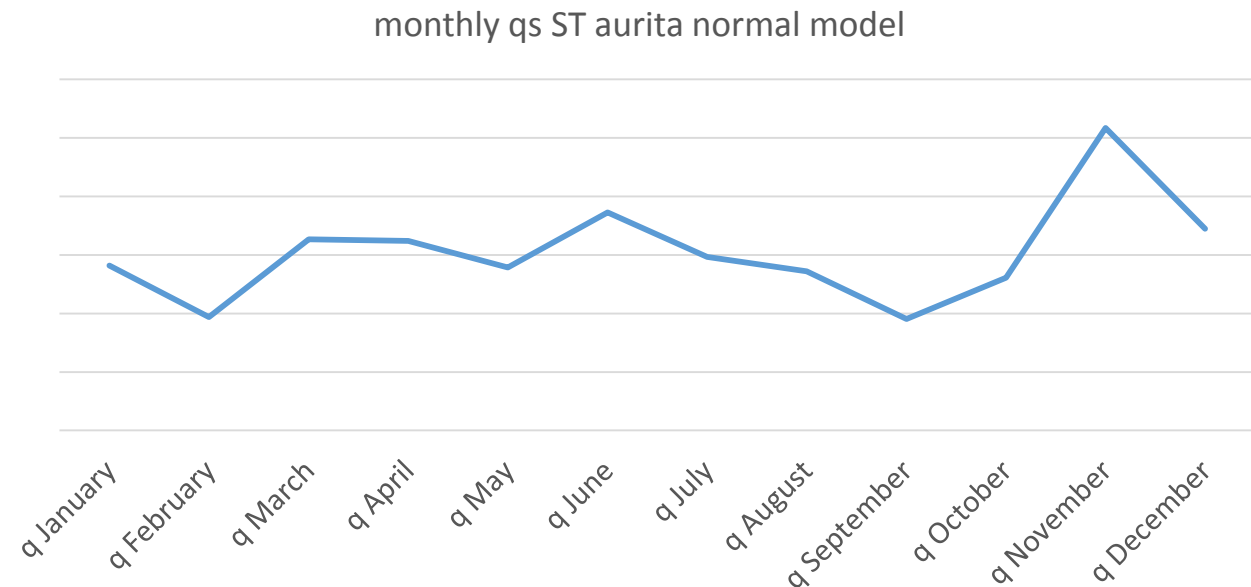
<code>log_Catch_per_B~s</code>	Coef.	Std. Err.	t	P> t
<code>log_No_vessels_ST</code>	<b>3.972428</b>	<b>1.036245</b>	<b>3.83</b>	<b>0.000</b>
<code>log_Effort</code>	<b>1.384167</b>	<b>.1161592</b>	<b>11.92</b>	<b>0.000</b>
<code>log_Fuel_Use</code>	<b>-.6918075</b>	<b>.4140111</b>	<b>-1.67</b>	<b>0.098</b>

N: 108

R<sup>2</sup>: 0.7388

Adj. R<sup>2</sup>: 0.6995

Seasonal dummies estimated within same regression (but only some significant):



# Data & Estimation: Production function with fuel price

Using the fact that the marginal product should be equal to the fuel price, and reinserting (where  $p/b$  is the ratio of fish price over fuel price):

$$\begin{aligned} & \ln(H_{ft}) \\ &= \frac{1}{1-\gamma_f} \ln(q_{\text{basemonthf}}) + \frac{\gamma_f}{1-\gamma_f} \ln(\gamma_f) + \frac{\alpha_f}{1-\gamma_f} \ln(K_{tf}) + \frac{\beta_f}{1-\gamma_f} \ln(L_{tf}) \\ &+ \frac{\gamma_f}{1-\gamma_f} \ln\left[\frac{p_t}{b_t}\right] + \frac{1}{1-\gamma_f} \ln(B_t) + \sum_{i=1}^{12} d^* \text{Month}_i + \psi \log(H_{t-1f}) + \varepsilon \end{aligned}$$

# Data & Estimation: Production function with fuel price

log_Catch	Coef.	Std. Err.	t	P> t
log_Effort	1.757089	.2287275	7.68	0.000
log_Price_ratio	-.3247083	.0718884	-4.52	0.000
log_No_vessels_ST	1.730146	.7661626	2.26	0.026
log_Catch_lag	.4164893	.0739711	5.63	0.000
log_Biomass	.093795	.1401043	0.67	0.505
_cons	-21.35938	5.325341	-4.01	0.000

$$\gamma_f = -0.479$$

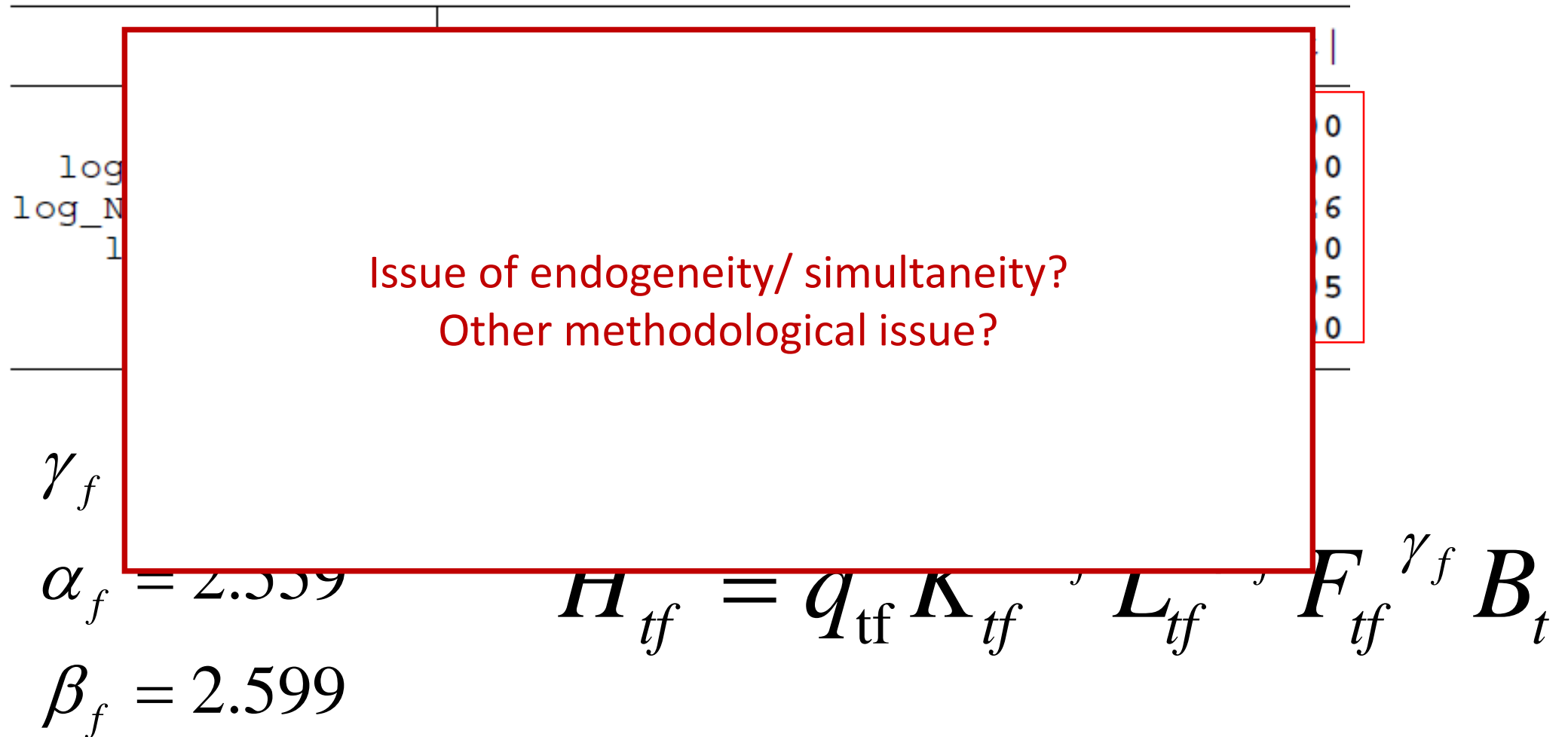
$$\alpha_f = 2.559$$

$$\beta_f = 2.599$$

$$H_{tf} = q_{tf} K_{tf}^{\alpha_f} L_{tf}^{\beta_f} F_{tf}^{\gamma_f} B_t$$



# Data & Estimation: Production function with fuel price



# Conclusion:

- Senegalese artisanal fishery
- Characterized by seasonal species
- Capital is quasi-malleable/ not perfectly malleable
- Estimation of the production function: Likely endogeneity issue
  
- Steps ahead:
  - Estimate as panel, search for ways to account for endogeneity
  - simulation

# References

- Clark C. W., Clarke, F. H. & Munroe, G. R. (1979): The Optimal Exploitation of Renewable Resource Stocks: Problems of Irreversible Investment, *Econometrica*, 47 (1), pp. 25-44.
- Corten et al (2012): *The Sardinella of Northwest Africa*, Commission Sous-Régionale de la Pêche, Dakar 2012.
- Mc Kelvey, R. (1985): Decentralized regulation of a common Property Renewable Resource Industry with Irreversible Investment, *Journal of Environmental Economics and Management*, 12, pp. 287-307
- Ndiaye, Y. D. (1996): Use of Capital Income in Artisanal Fisheries: the Case of Boat-Owners in Hann, Senegal, FAO 1996.